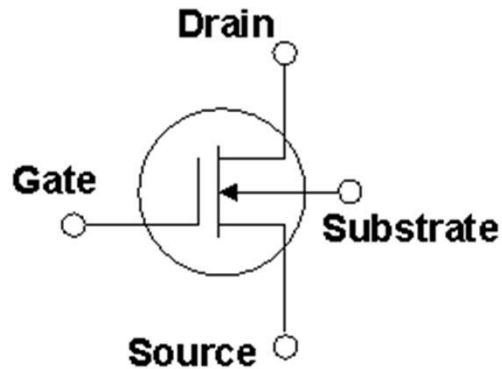
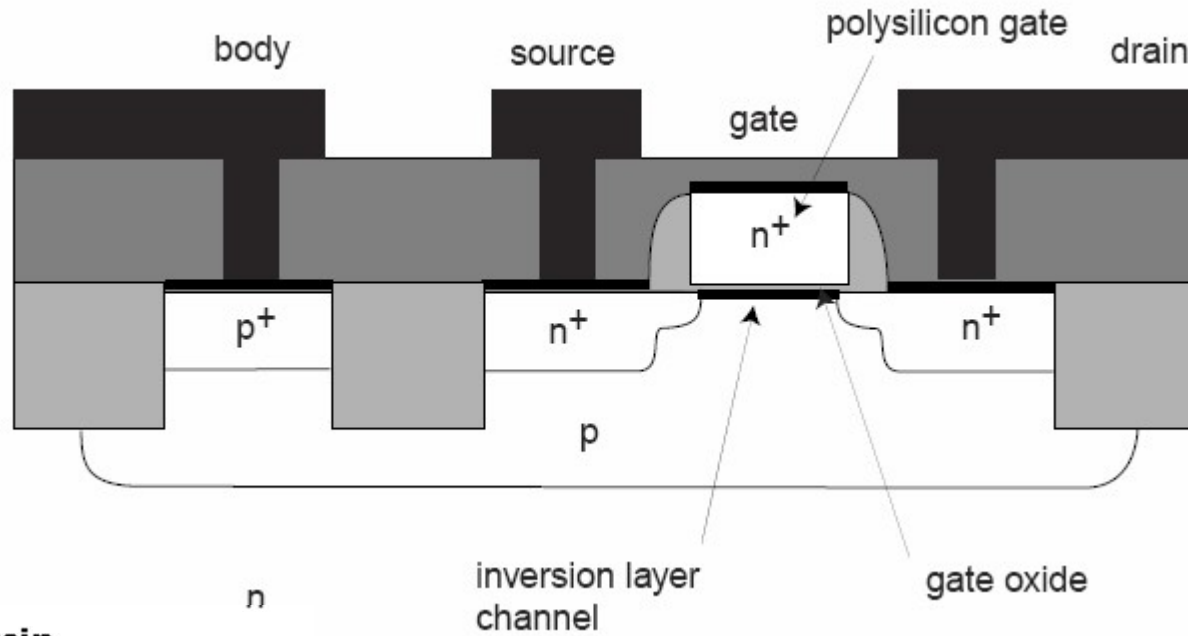


# MOSFETs

---

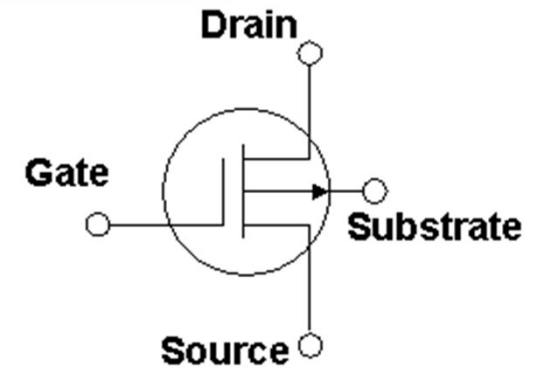
Metal Oxide Semiconductor  
Field Effect Transistor

# MOSFETs



n - channel

functions as a switch  
 ~ 1 billion /chip



p - channel

# Self-aligned fabrication

p-Si 100 wafer

Dry oxidation

$\text{SiO}_2$  gate oxide

p-Si

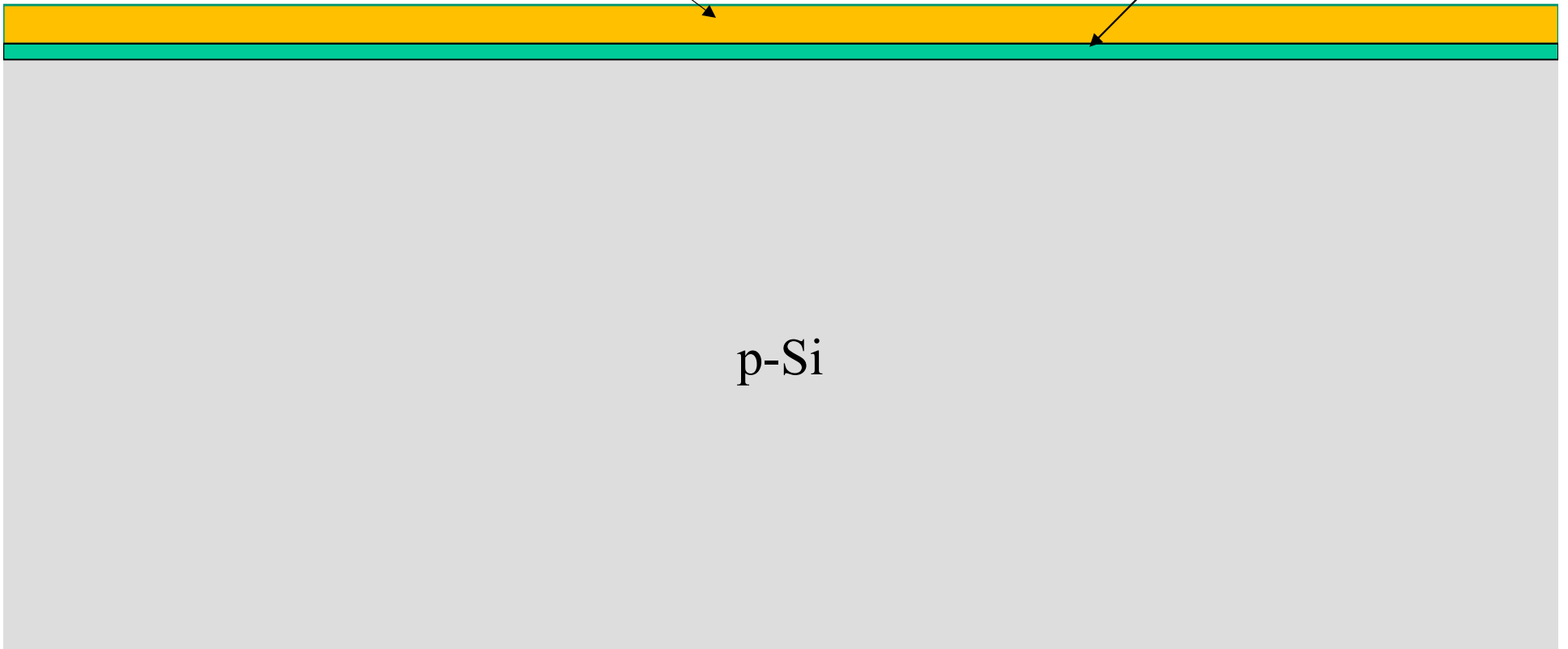
A cross-sectional diagram of a semiconductor device. It shows a thick, light gray rectangular region representing the substrate, labeled "p-Si". On top of this substrate is a thin, horizontal layer of bright green material, labeled "SiO2 gate oxide". An arrow points from the text "SiO2 gate oxide" to the green layer. The text "Dry oxidation" is positioned above the green layer.

gate oxide

HfO<sub>2</sub>

SiO<sub>2</sub>

p-Si



photoresist

polysilicon

CVD:  $\text{SiH}_4$  @ 580 to 650 °C

$\text{SiO}_2/\text{HfO}_2$

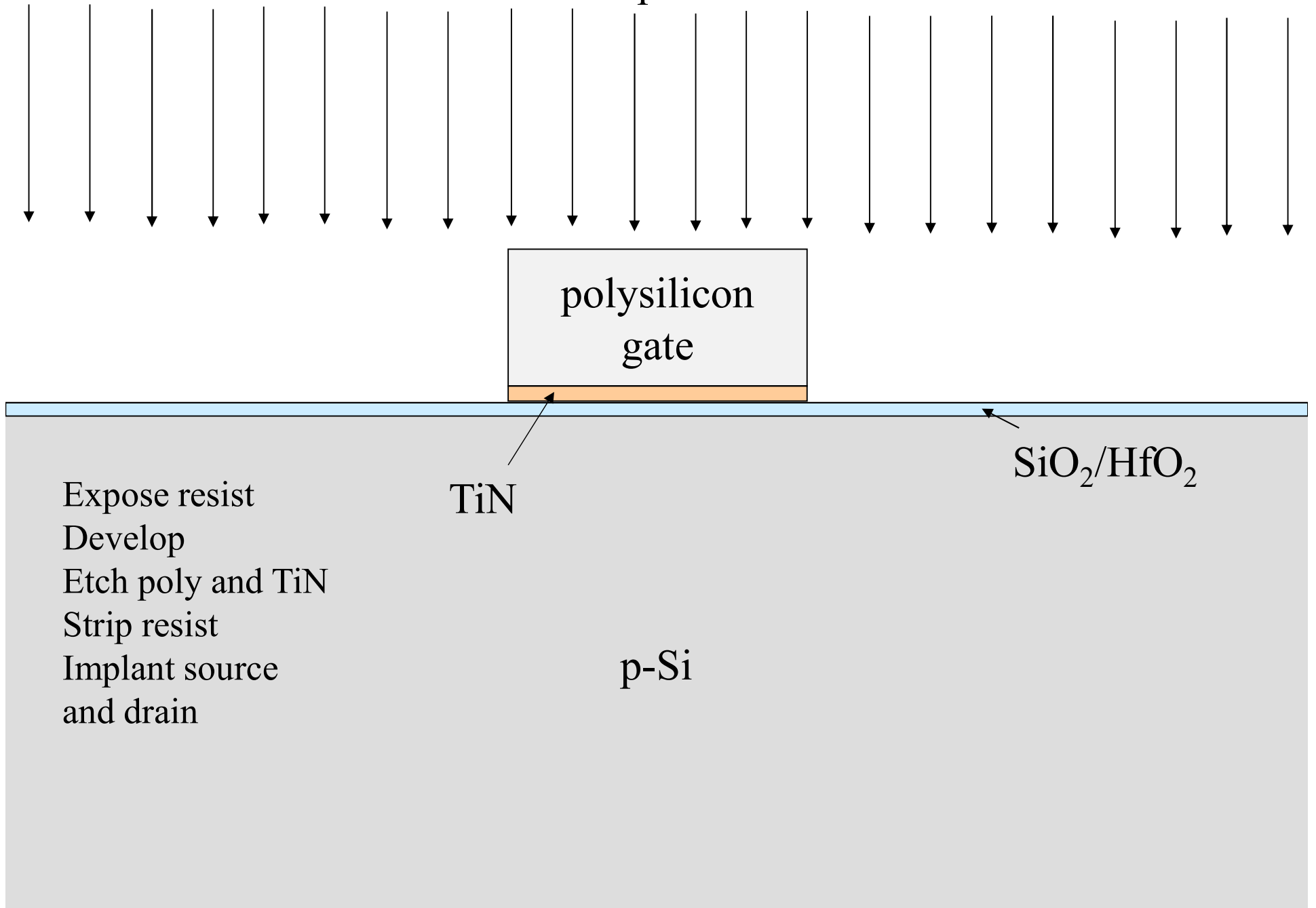
TiN (CVD)

30–70  $\mu\Omega\cdot\text{cm}$  Conductive diffusion barrier

p-Si



# Implant



polysilicon  
gate

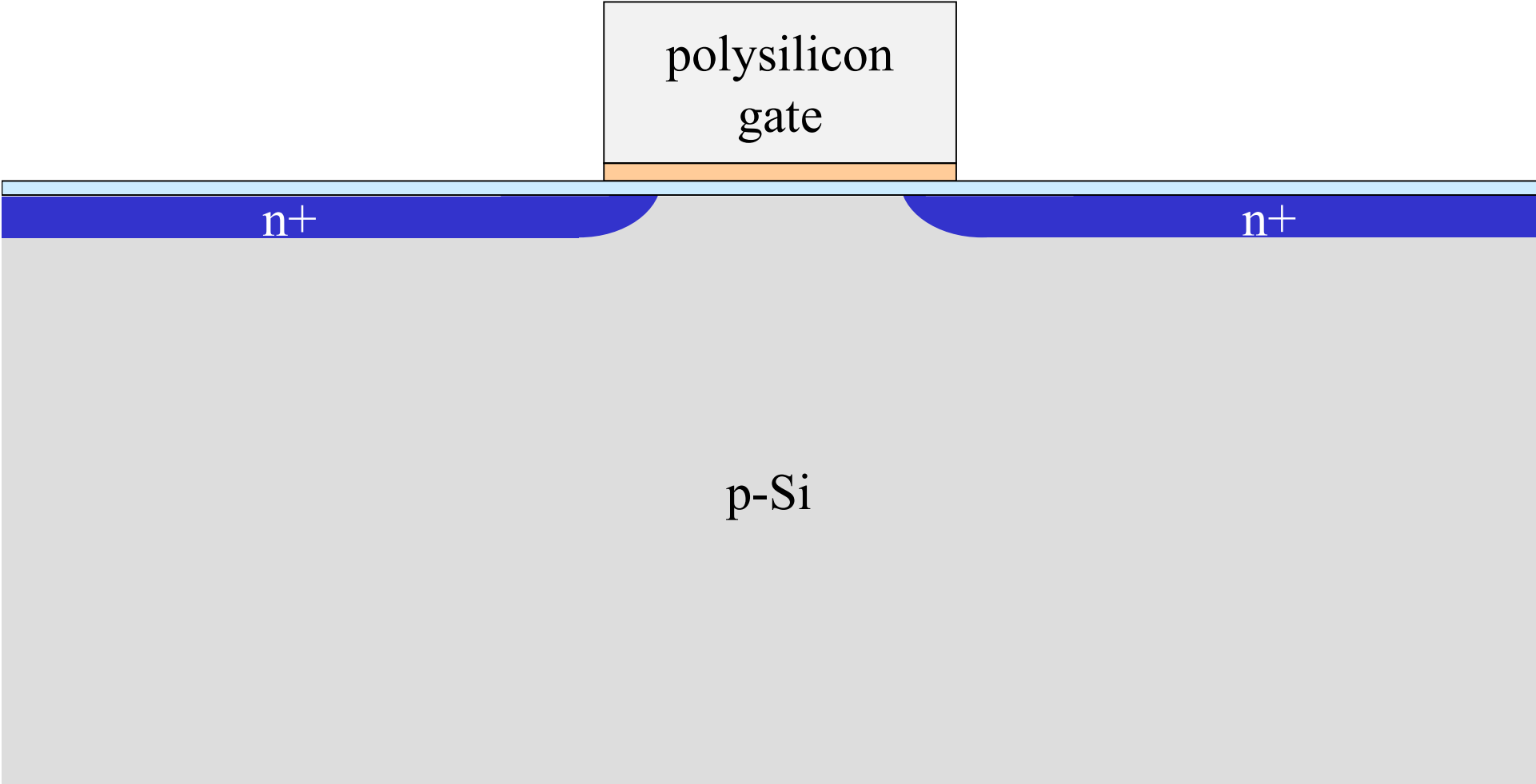
SiO<sub>2</sub>/HfO<sub>2</sub>

TiN

p-Si

Expose resist  
Develop  
Etch poly and TiN  
Strip resist  
Implant source  
and drain

# Self-aligned fabrication





# Spacer

PECVD  $\text{SiN}_x$

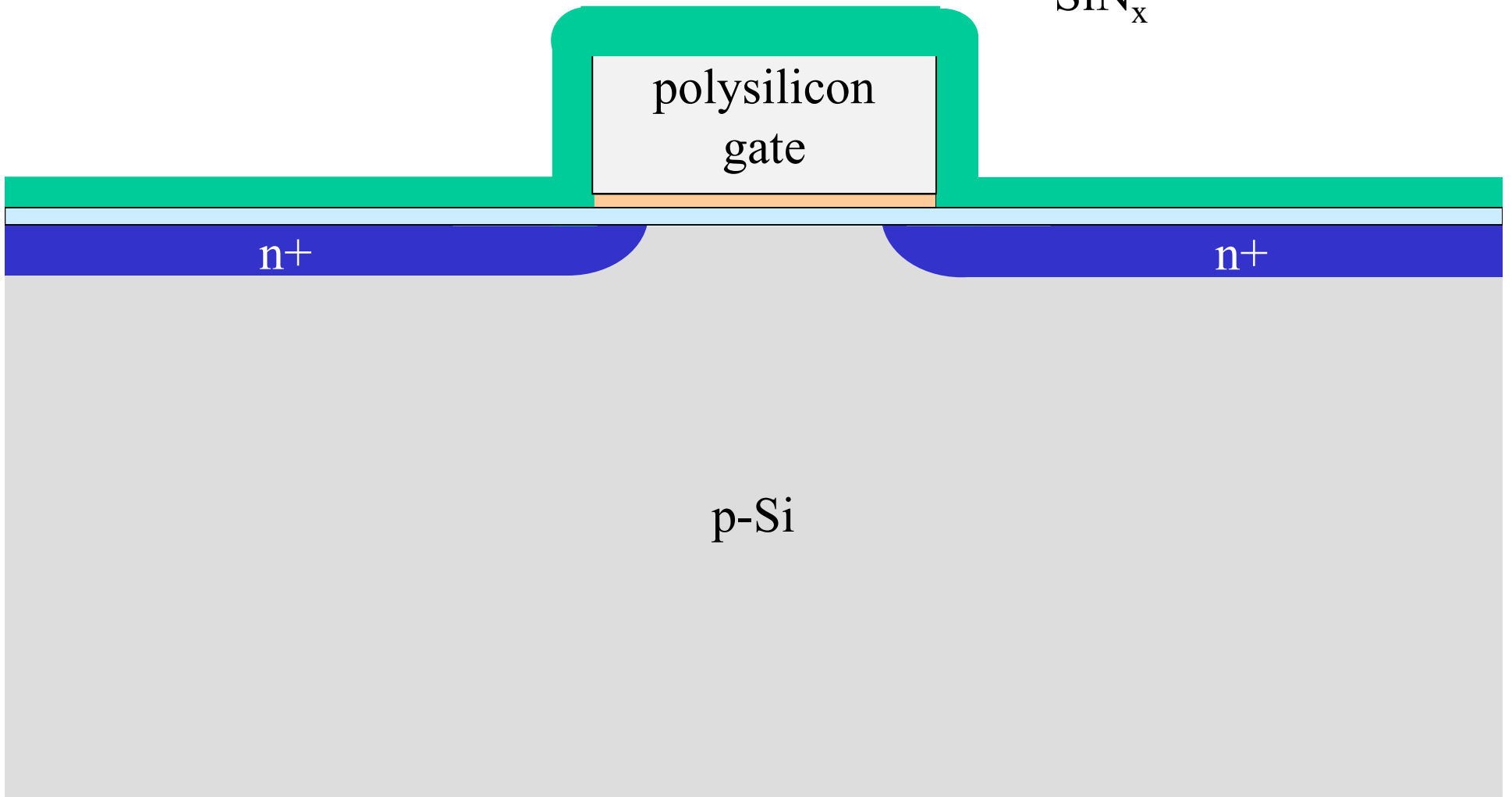
$\text{SiN}_x$

polysilicon  
gate

n+

n+

p-Si



# Spacer

Etch back to  
leave only  
sidewalls

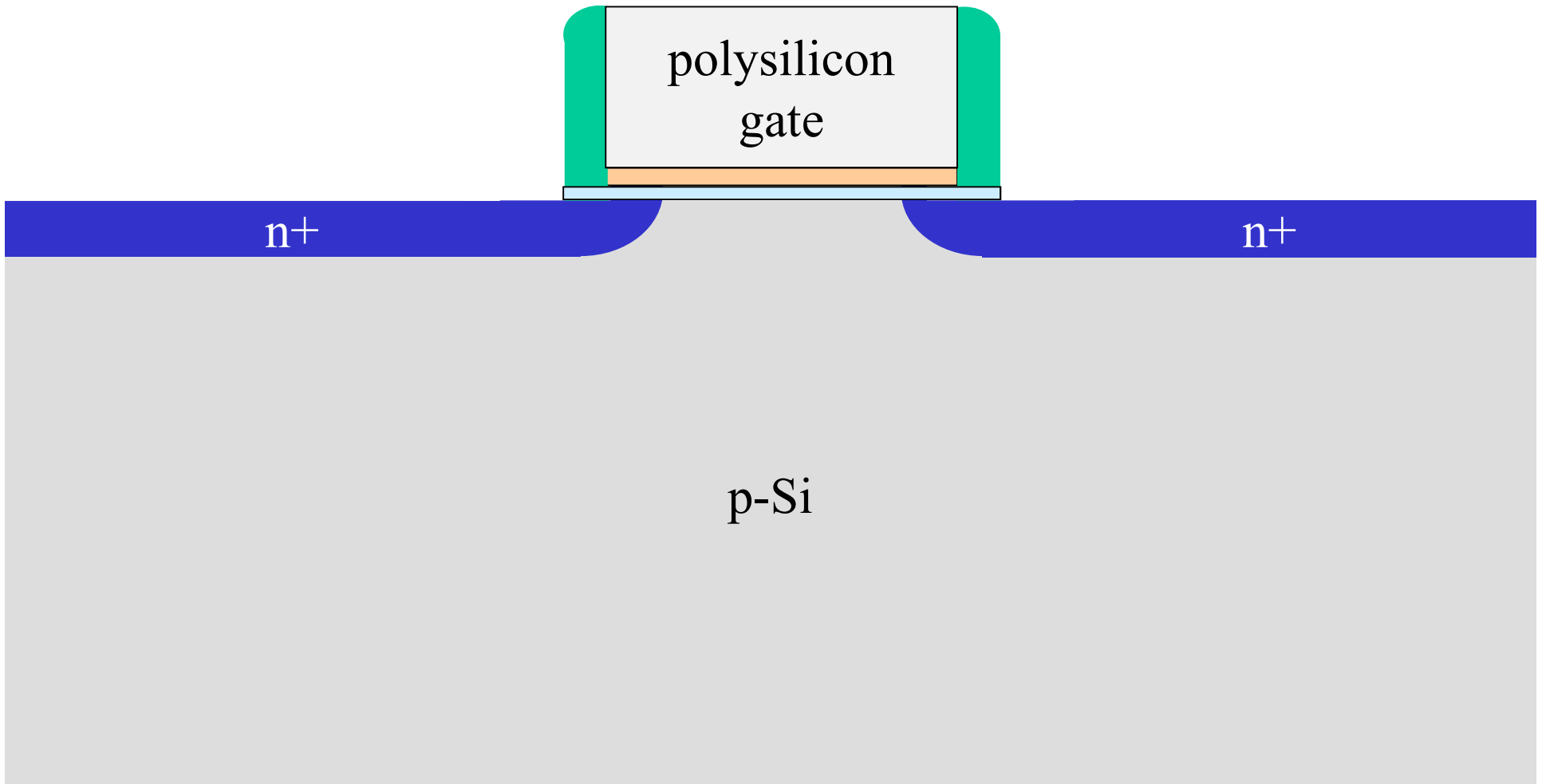
$\text{SiN}_x$

polysilicon  
gate

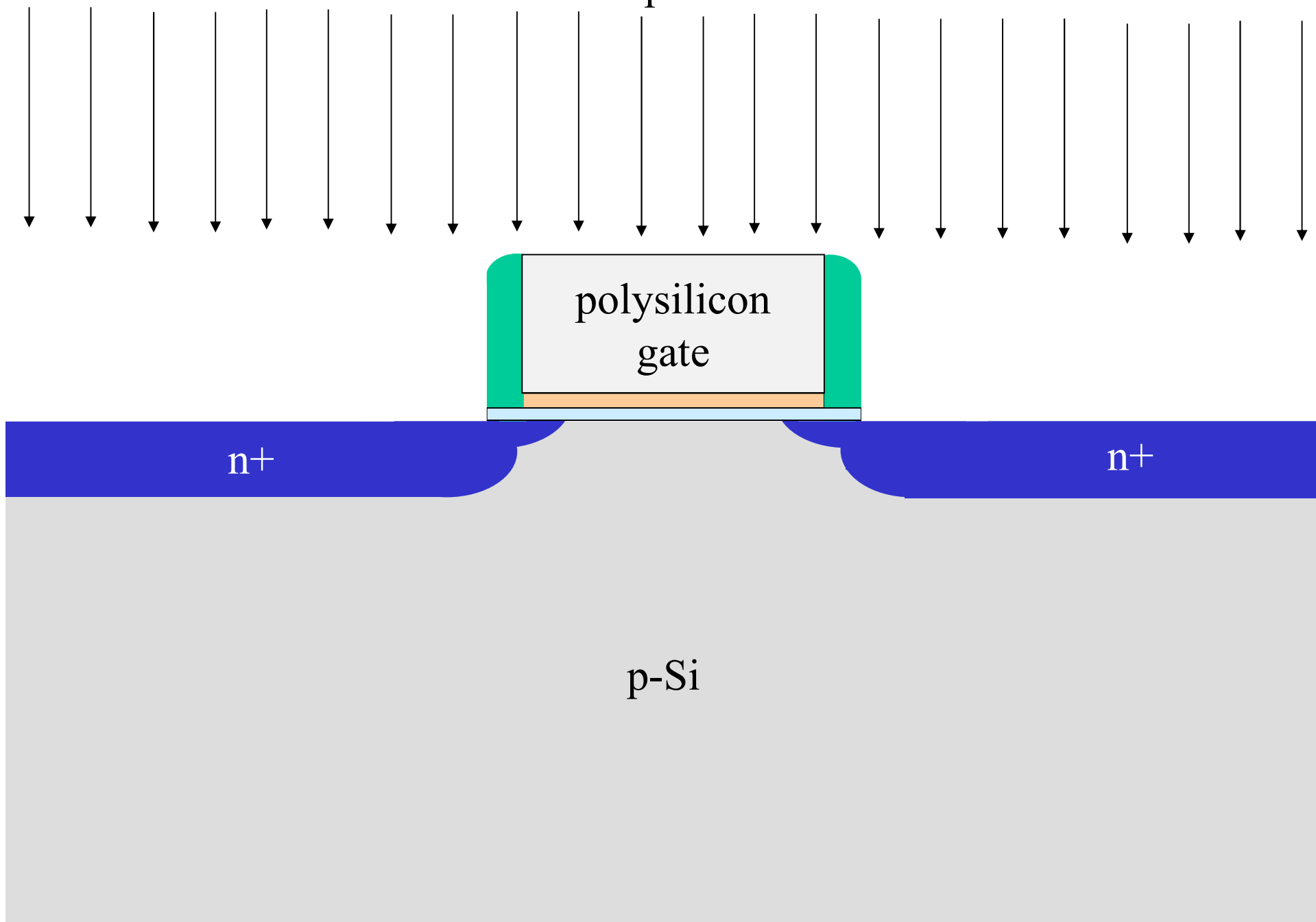
n+

n+

p-Si

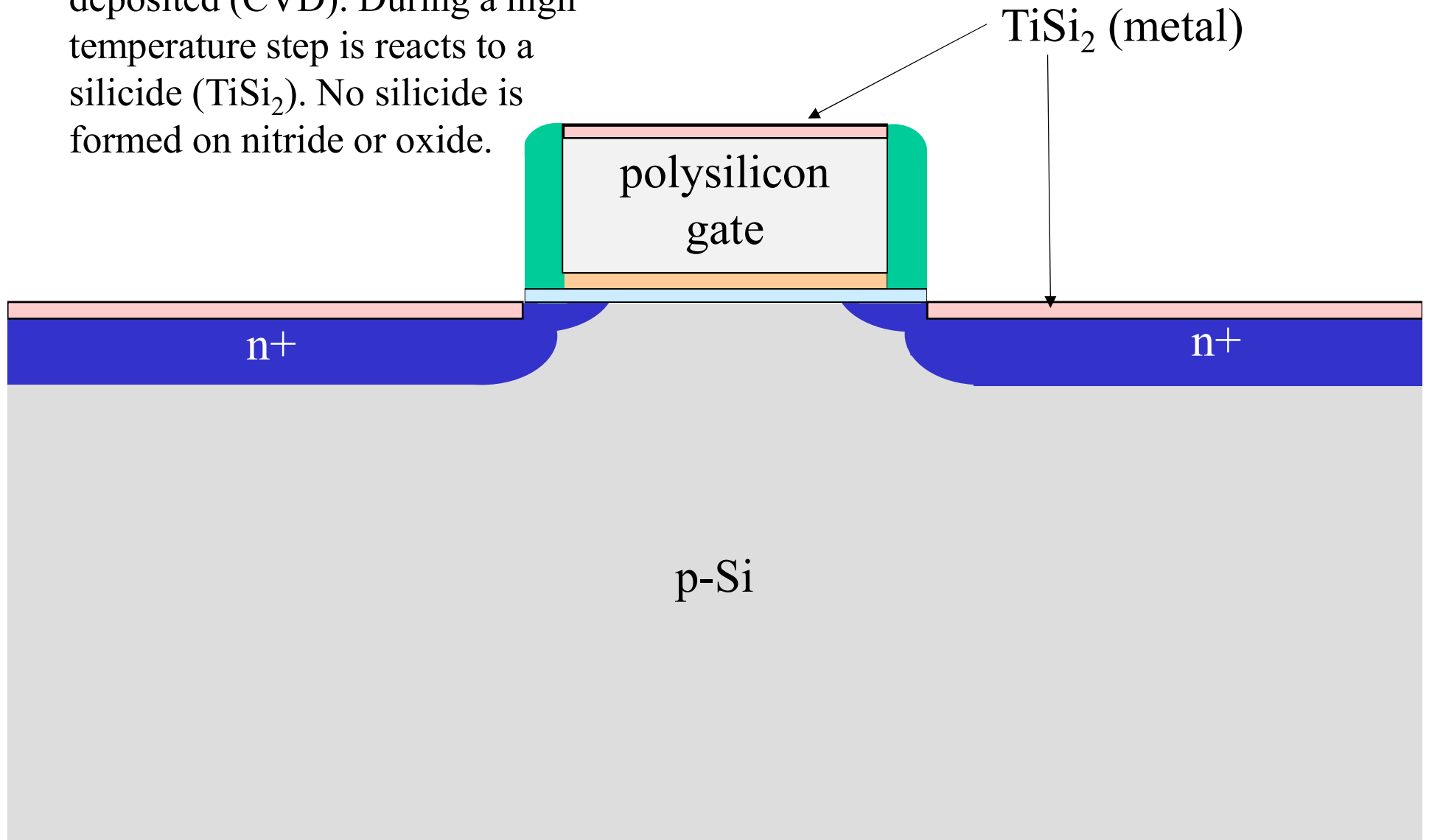


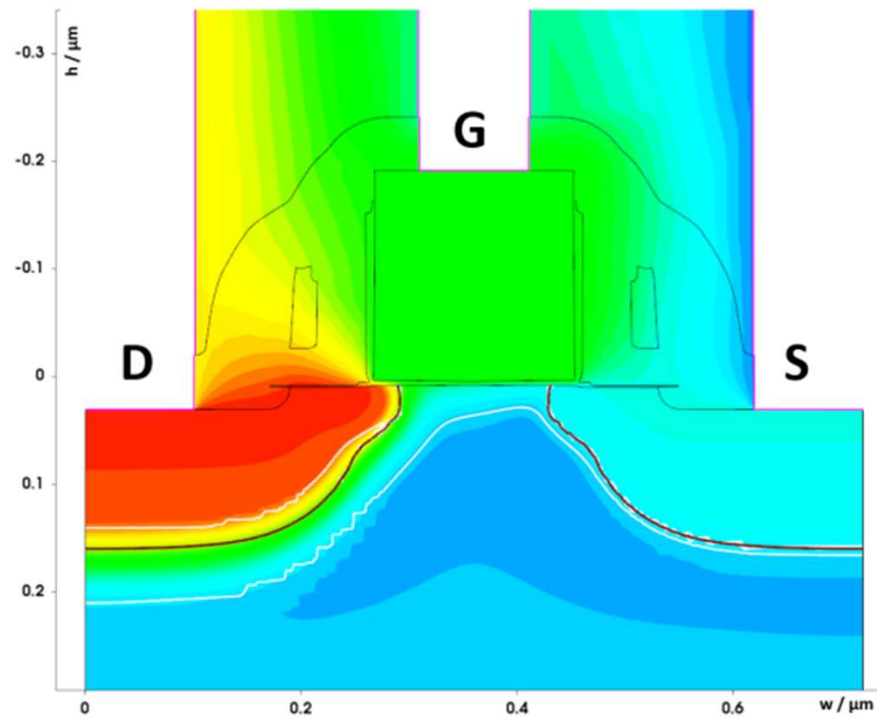
Implant



# Salicide (Self-aligned silicide)

Transition metal (Ti, Co, W) is deposited (CVD). During a high temperature step it reacts to a silicide ( $\text{TiSi}_2$ ). No silicide is formed on nitride or oxide.



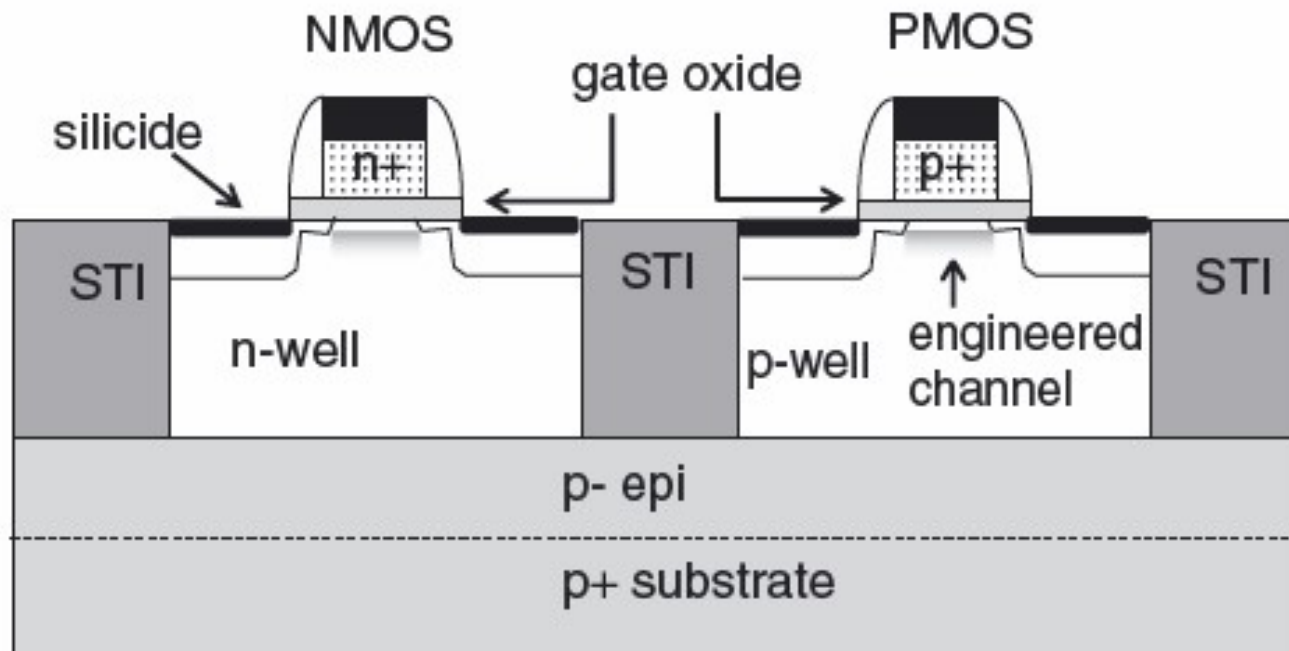


**Figure 7:** TCAD simulation of the potential distribution in a n-MOSFET @  $V_g = 0.85 \text{ V}$ ,  $V_d = 2.3 \text{ V}$  [2]

# CMOS Complementary Metal Oxide Semiconductor

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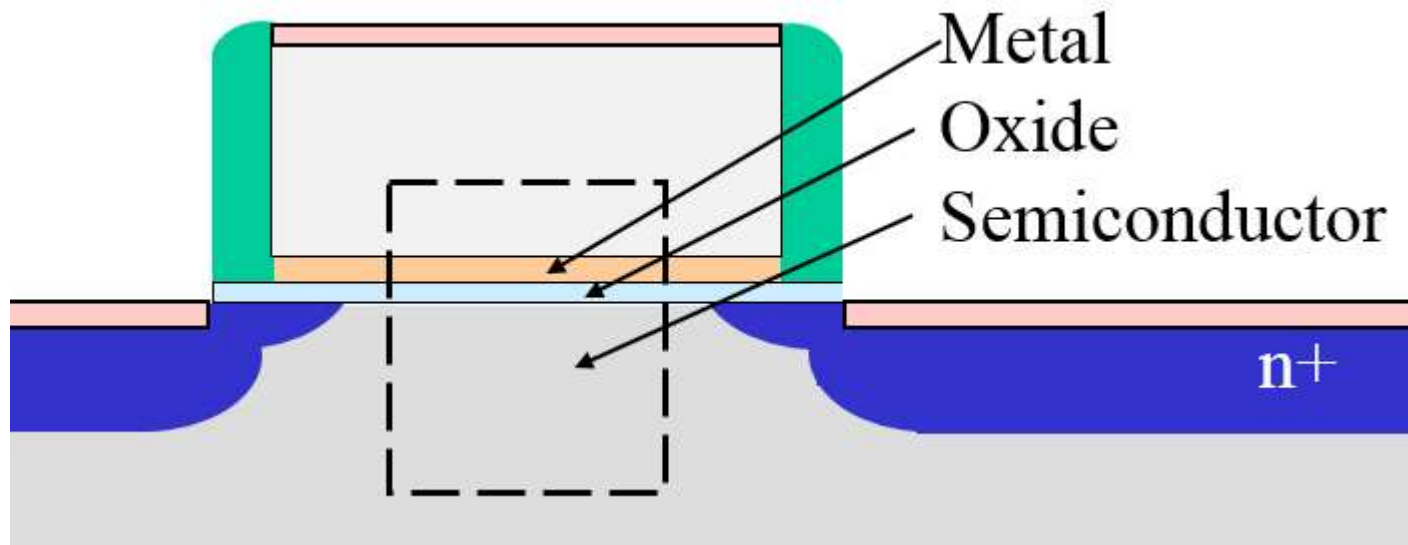
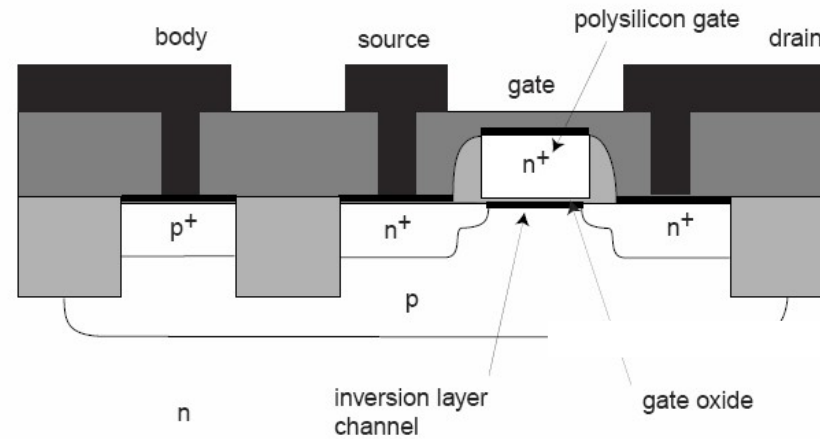
NMOS is n-channel so it should be in a p-well



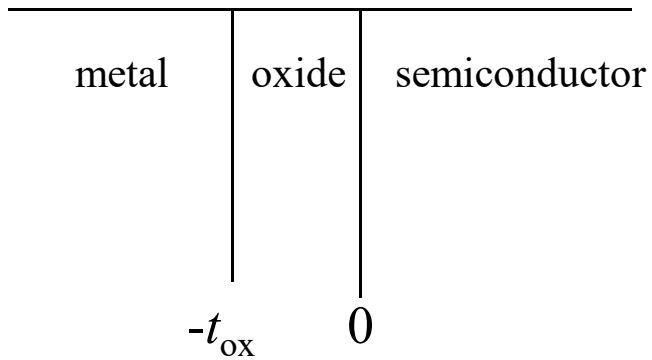
**Figure 26.11** Deep submicron CMOS: 200 nm gate length, 5 nm gate oxide, 70 nm junction depth; n<sup>+</sup> poly for NMOS and p<sup>+</sup> poly for PMOS. Shallow trench isolation on epitaxial n<sup>+</sup>/p<sup>+</sup> wafer

Source: Fransila

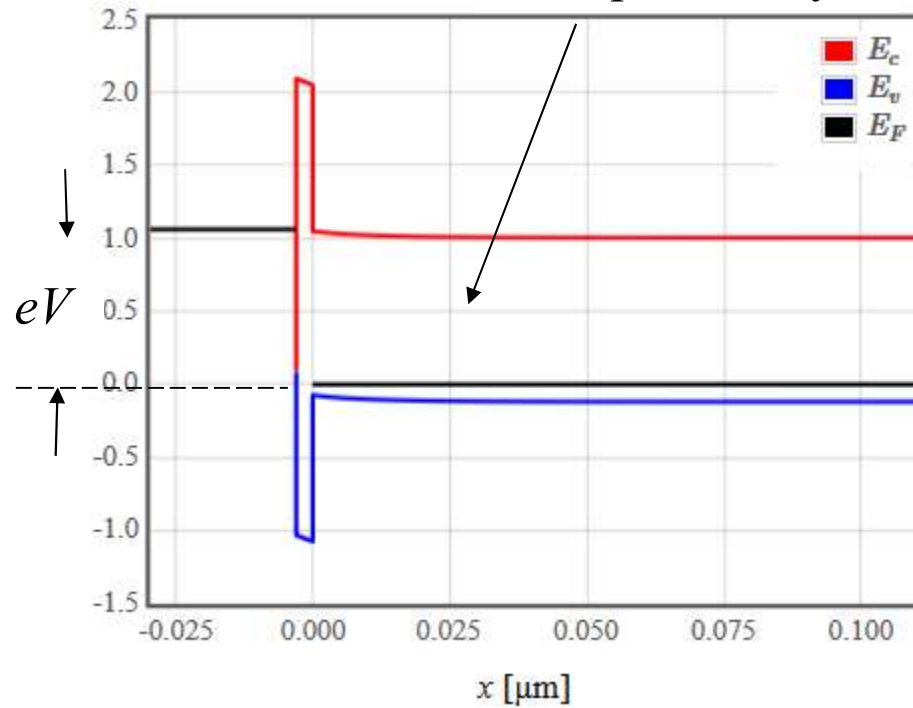
# MOS capacitor



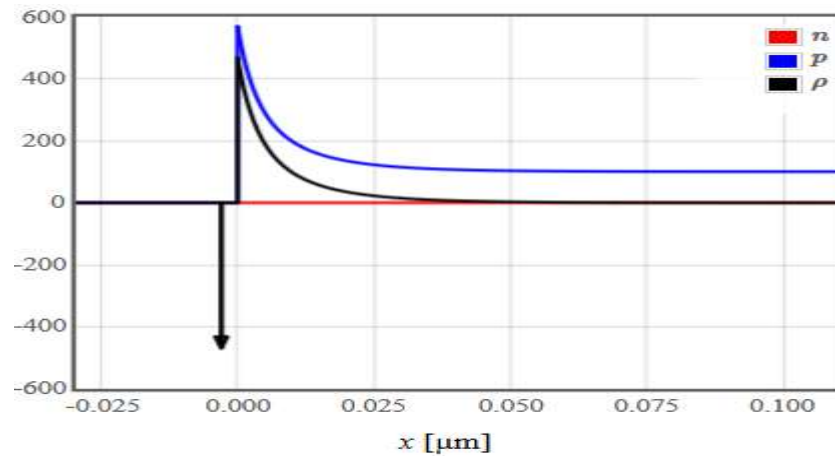
# Accumulation



no depletion layer



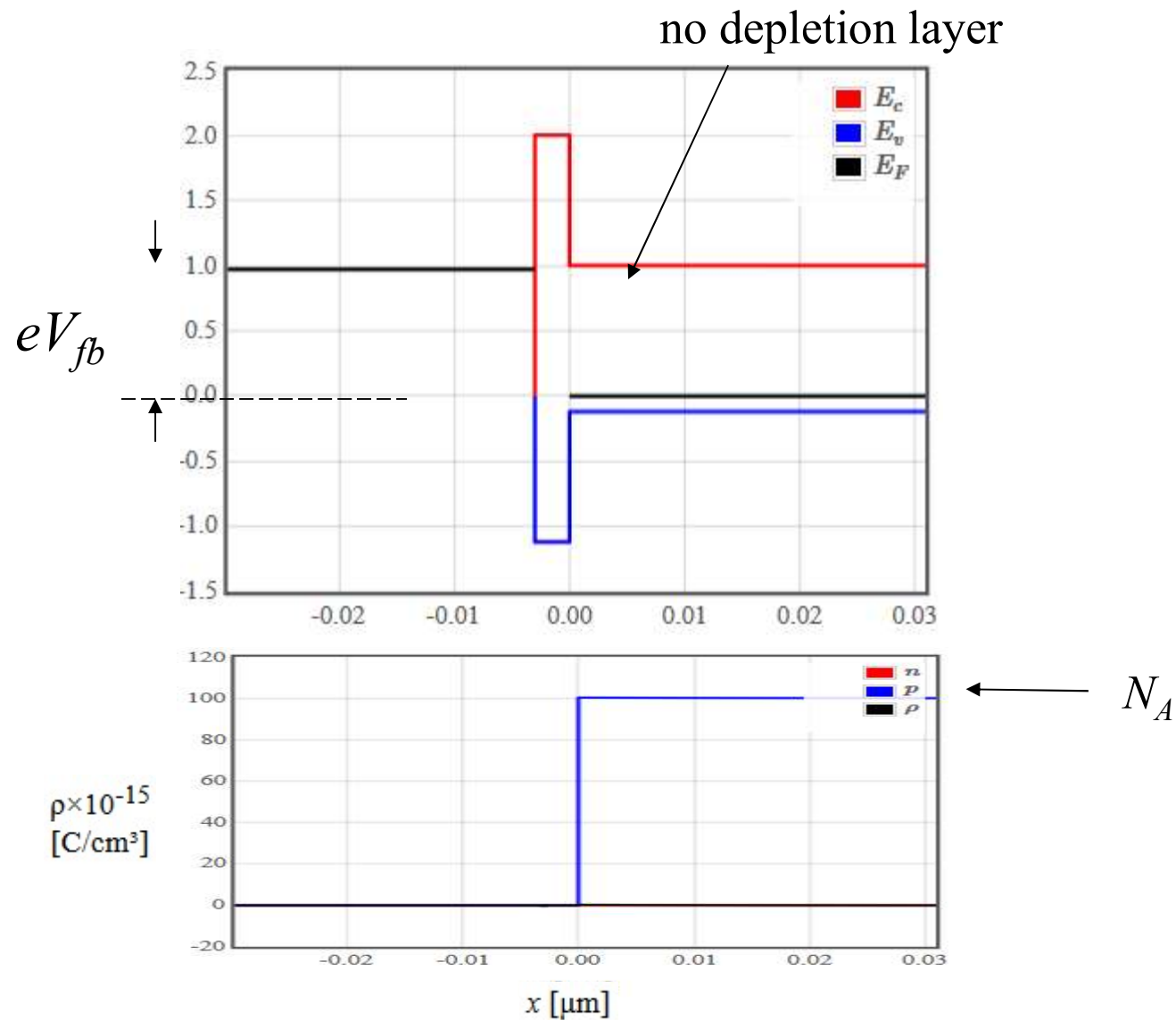
$\rho \times 10^{-15}$   
[C/cm<sup>3</sup>]



$N_A$



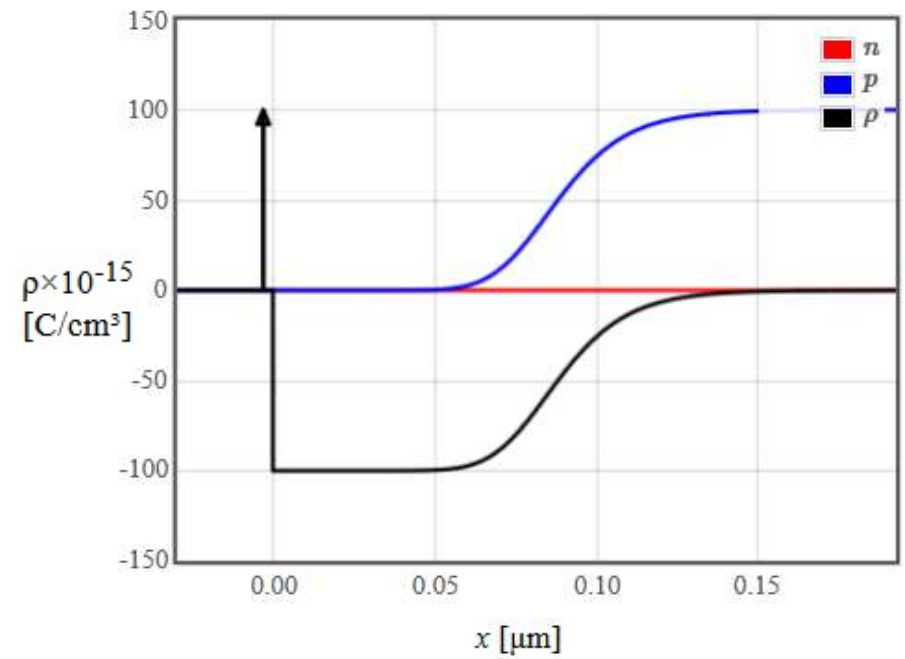
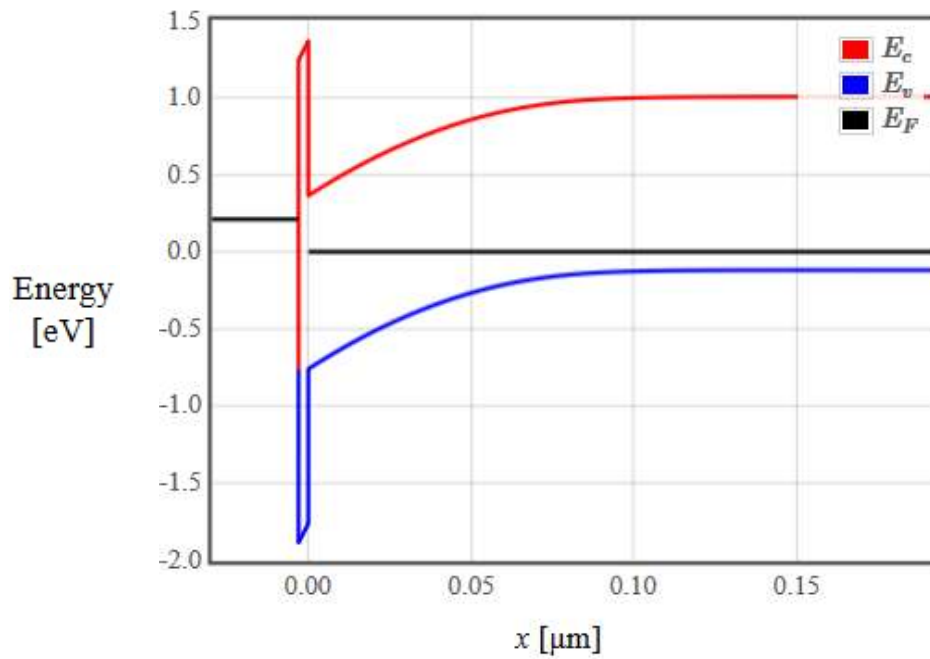
# Flat band voltage



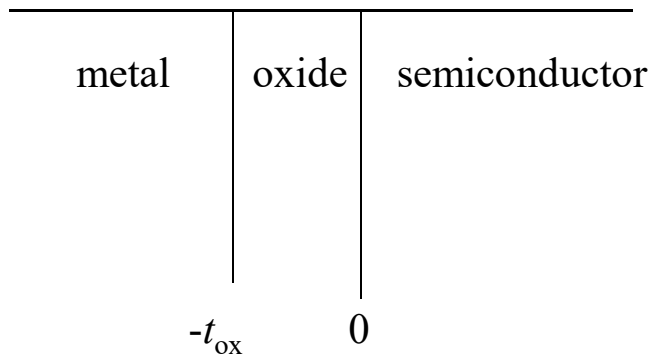
If  $\phi_s = \phi_m$ , the flatband voltage is the zero bias voltage

# Depletion

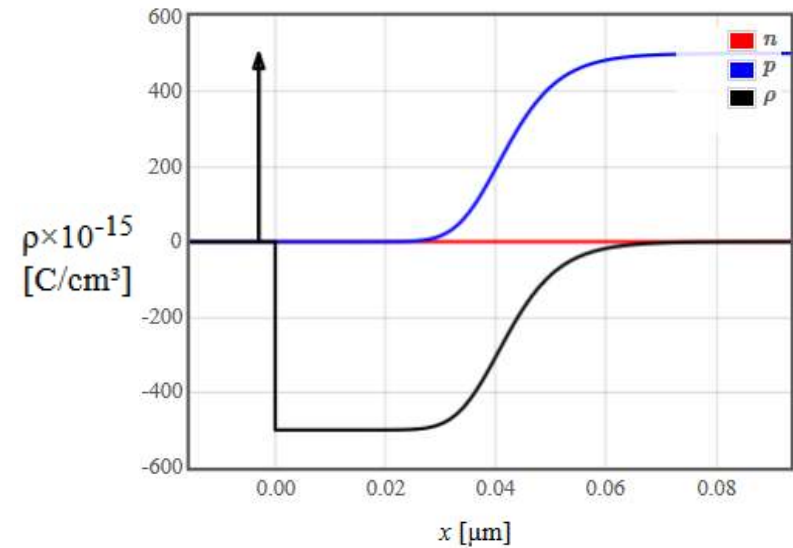
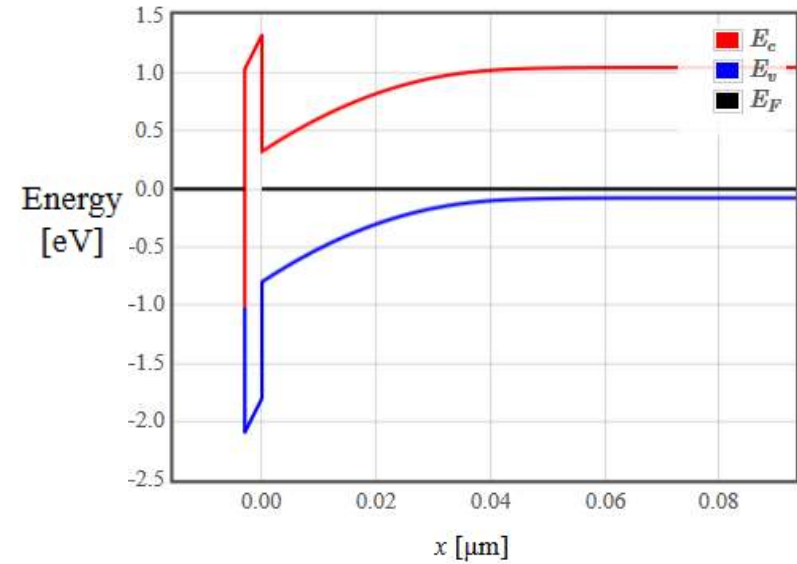
---



# Zero bias



$e\phi_m$   
 Al 4.1 eV  
 p+ poly 4.05 eV  
 n+ poly 5.05 eV

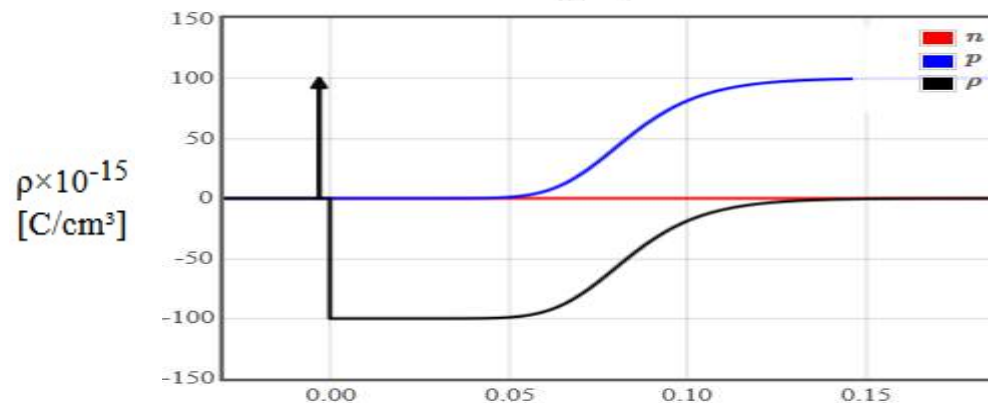
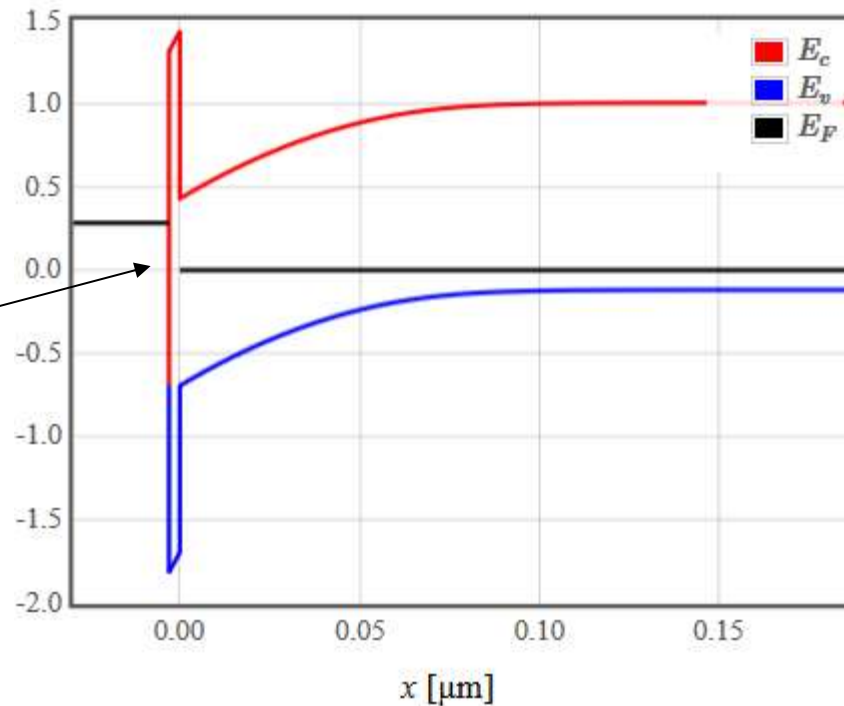


Can be in accumulation or depletion depending on workfunctions

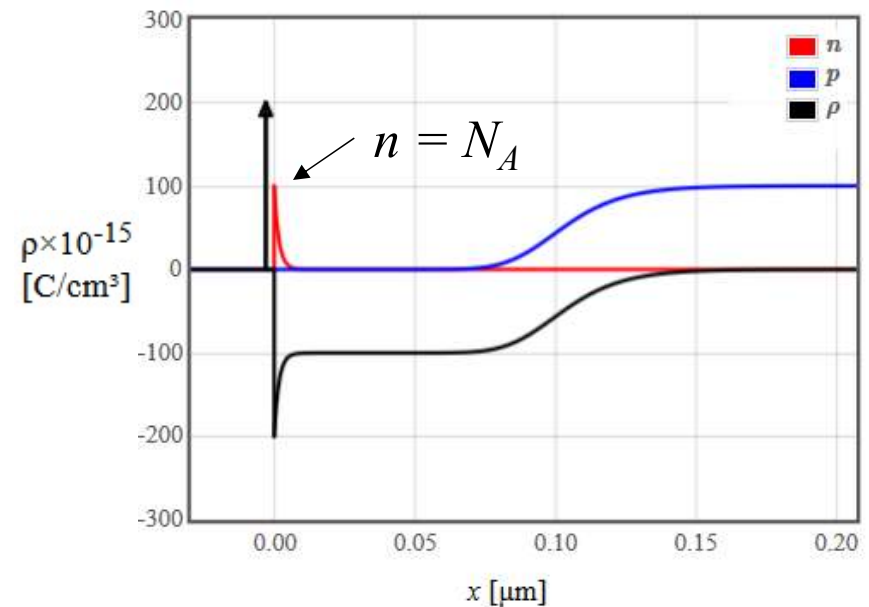
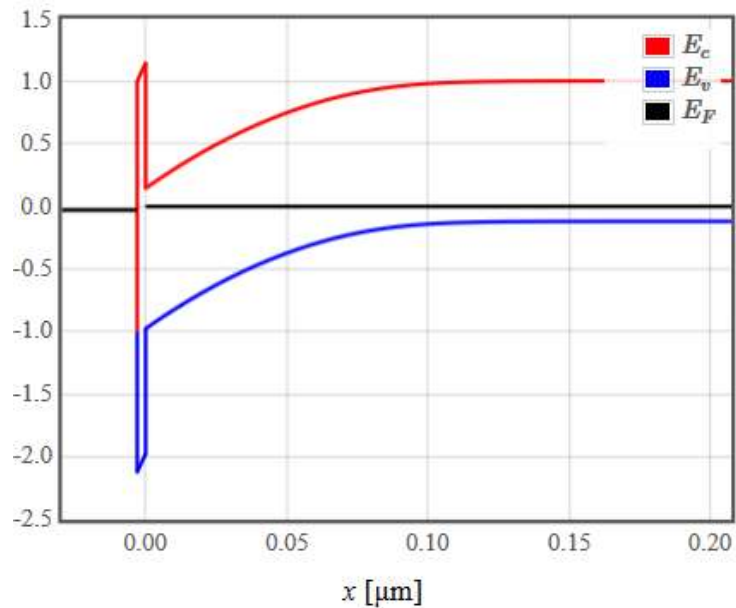
# Weak Inversion

Majority carriers at  $x = 0$  change from p to n

$n > p$   
at the interface



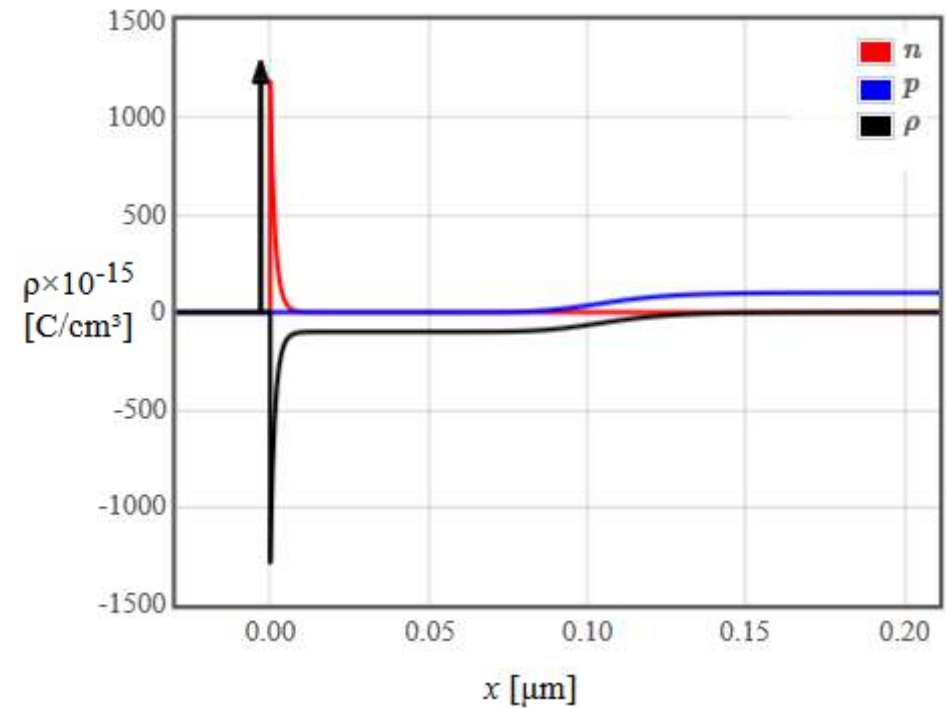
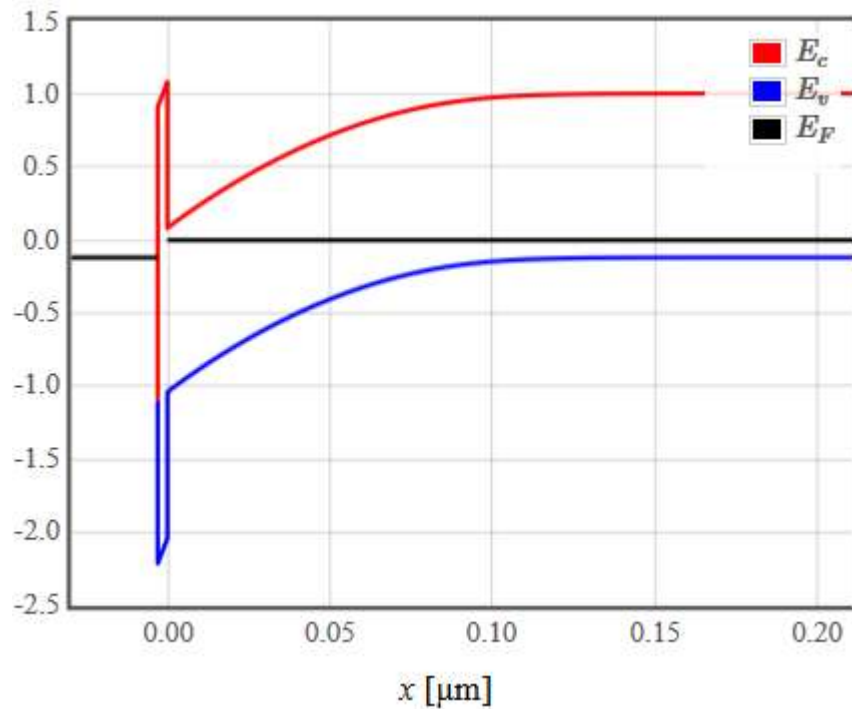
# Threshold voltage



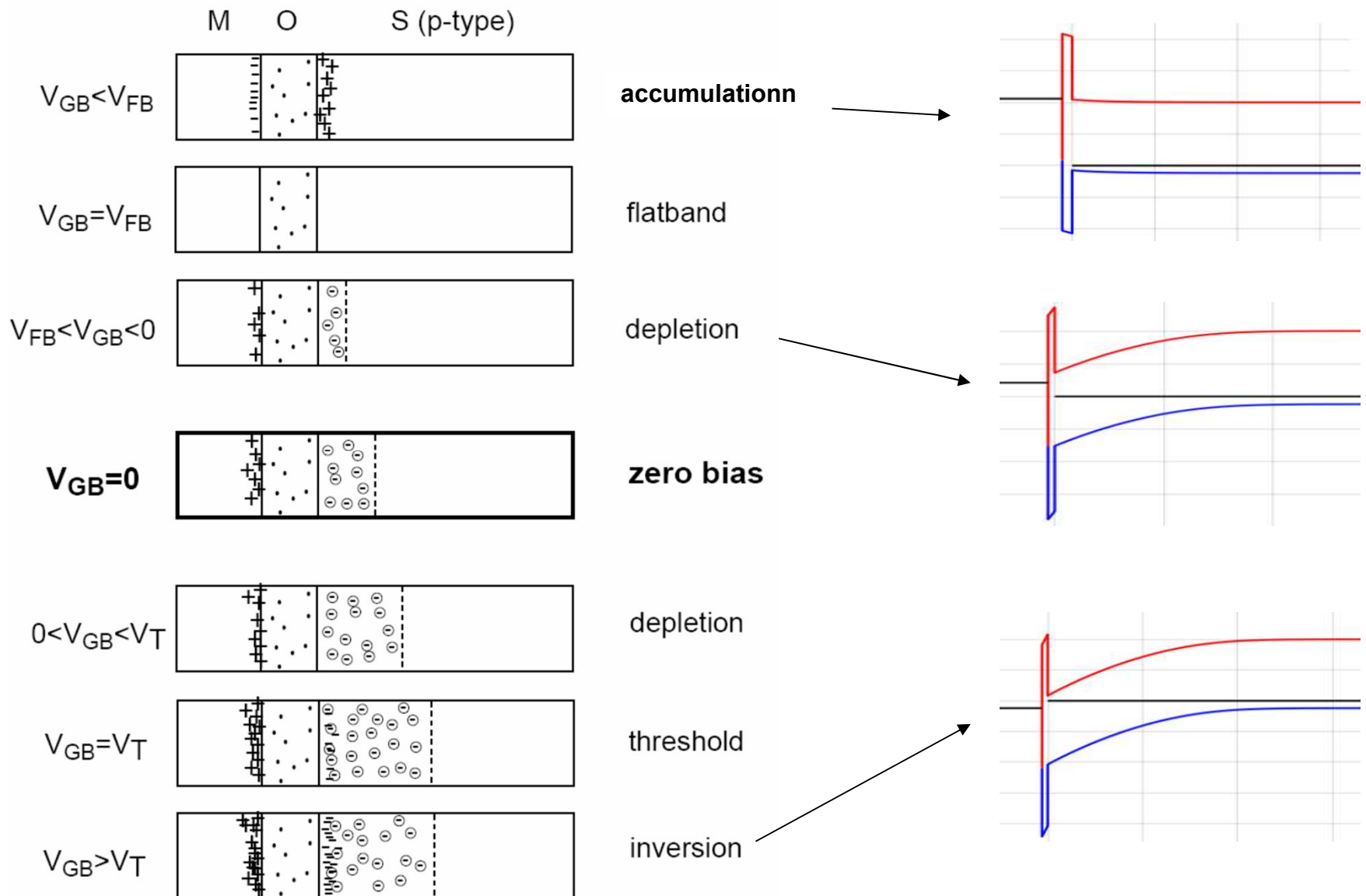
**Strong inversion:**  $n = N_A$  at  $x = 0$ , the semiconductor-oxide interface

# Inversion

$n > N_A$  at  $x = 0$ , the semiconductor-oxide interface

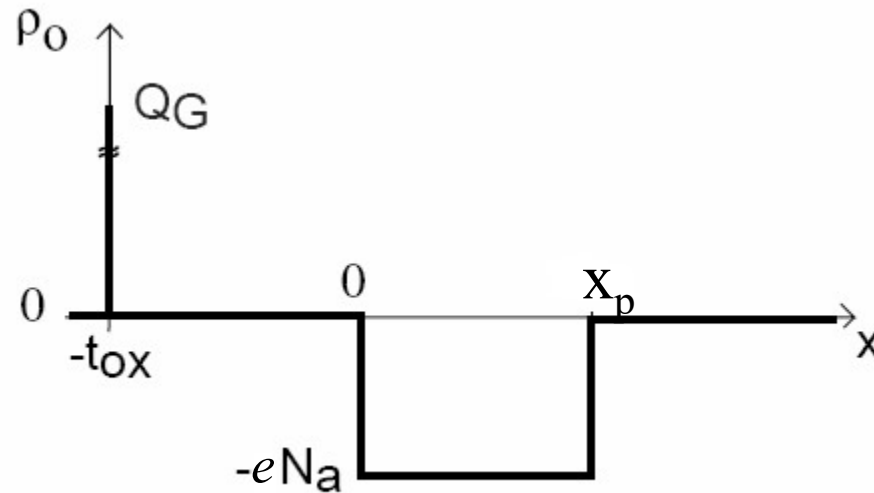


# MOS capacitor



# charge density (depletion)

---



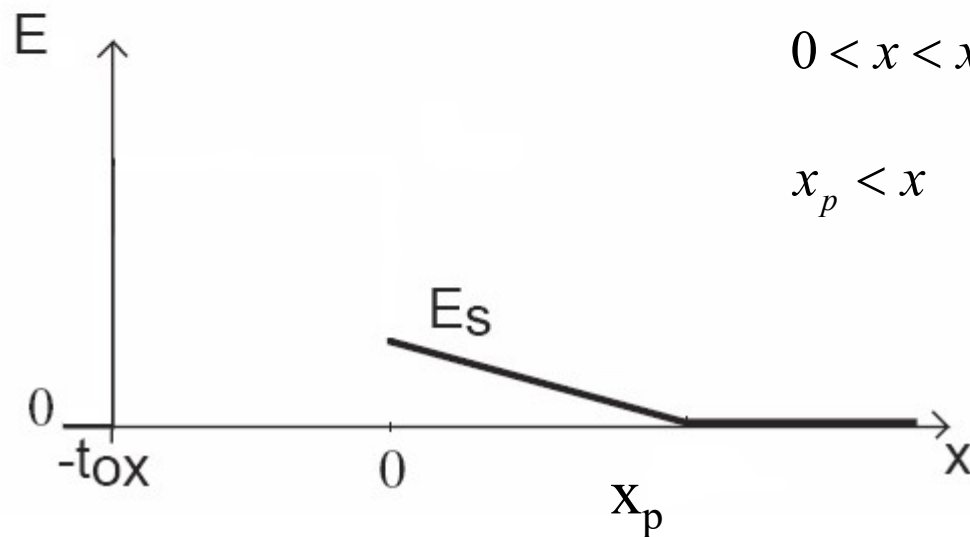
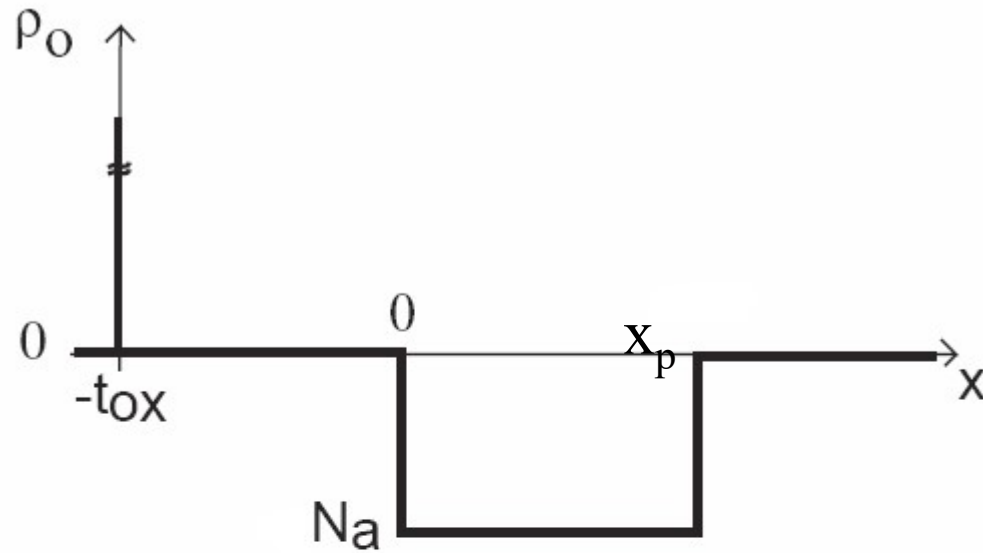
$$-t_{ox} < x < 0 \quad \rho(x) = 0$$

$$0 < x < x_p \quad \rho(x) = -eN_A$$

$$x_p < x \quad \rho(x) = 0$$



# electric field



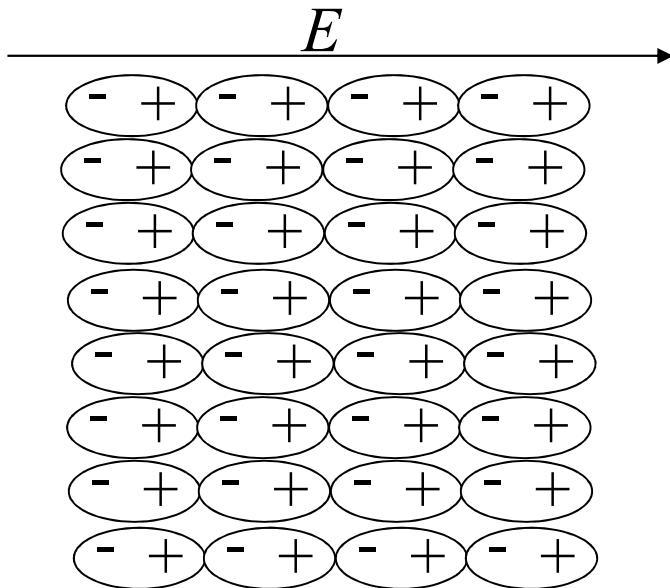
$$0 < x < x_p$$

$$x_p < x$$

$$E(x) = \frac{-eN_A}{\epsilon_s} (x - x_p)$$

$$E(x) = 0$$

# electric field (depletion)

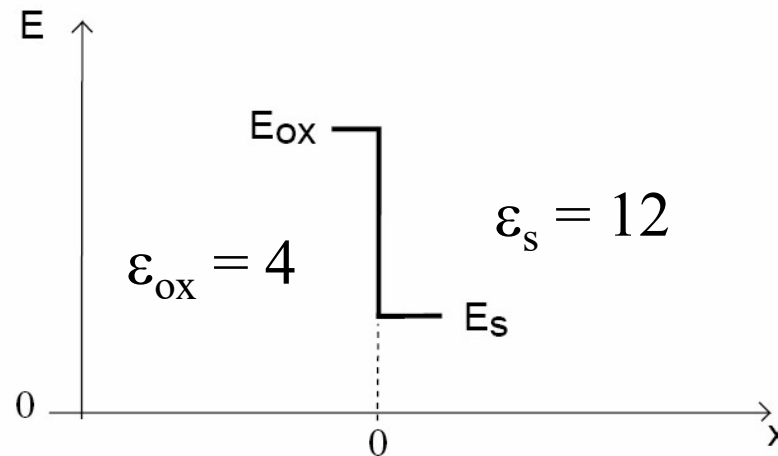


$E$  is decreased by a factor of the dielectric constant

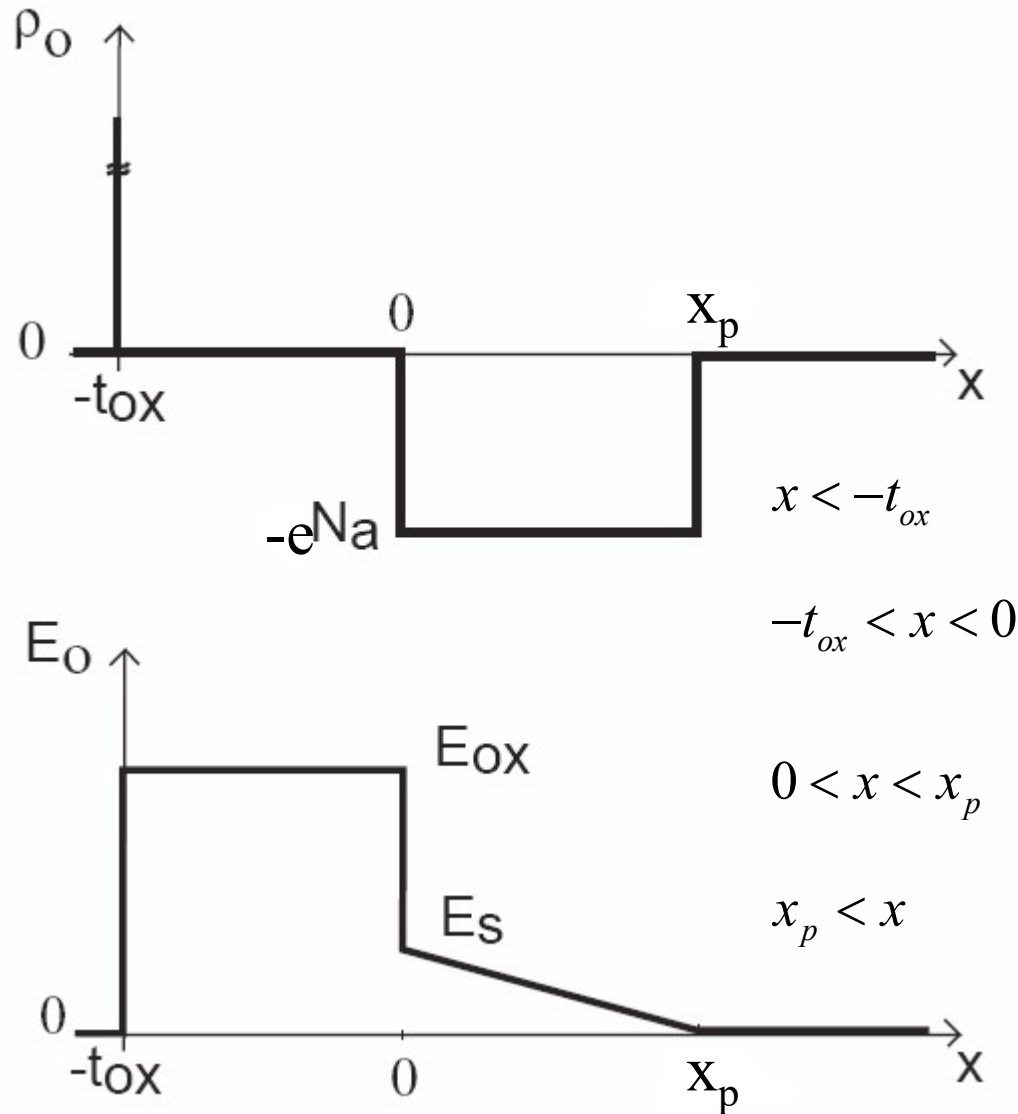
$$\epsilon_r = \frac{E_{vacuum}}{E_{dielectric}}$$

$$\epsilon_{ox} E_{ox} = \epsilon_s E_s$$

$$\frac{E_{ox}}{E_s} = \frac{\epsilon_s}{\epsilon_{ox}} \simeq 3$$



# electric field



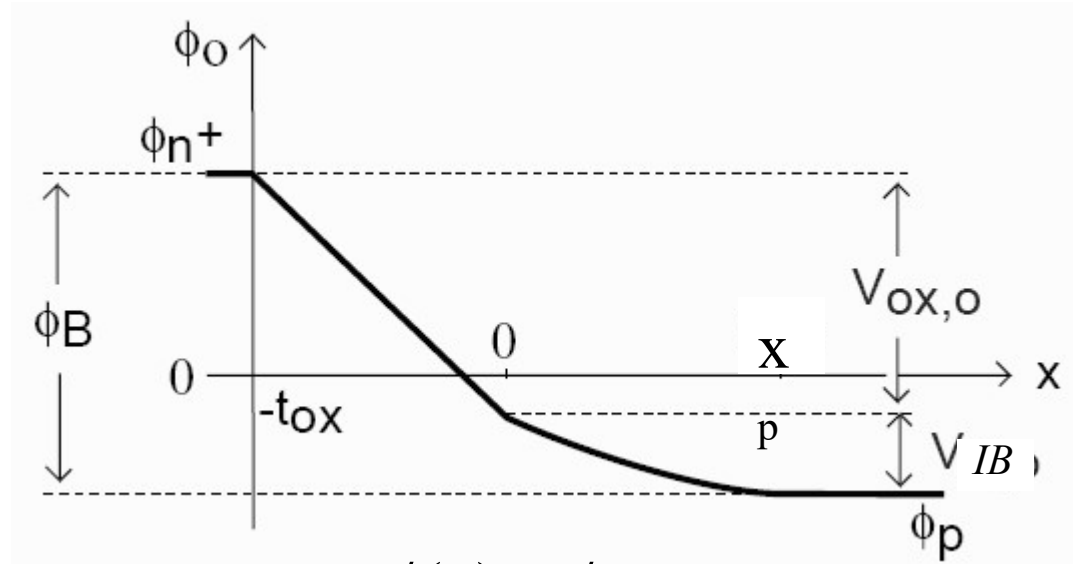
$$E(x) = 0$$

$$E(x) = \frac{\epsilon_s}{\epsilon_{ox}} E(x = 0^+) = \frac{eN_A x_p}{\epsilon_{ox}}$$

$$E(x) = \frac{-eN_A}{\epsilon_s} (x - x_p)$$

$$E(x) = 0$$

# electrostatic potential



$$x < -t_{ox} \quad \phi(x) = \phi_{gate}$$

$$-t_{ox} < x < 0 \quad \phi(x) = \phi_p + \frac{eN_A x_p^2}{2\epsilon_s} + \frac{eN_A x_p}{\epsilon_{ox}} (-x)$$

$$0 < x < x_p \quad \phi(x) = \phi_p + \frac{eN_A}{2\epsilon_s} (x - x_p)^2$$

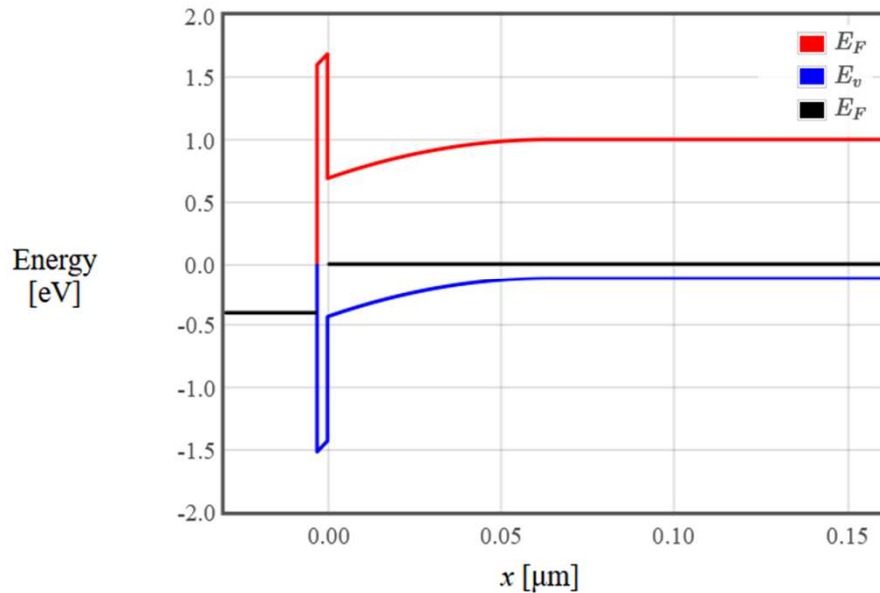
$$x_p < x \quad \phi(x) = \phi_p$$

(We still don't know  $x_p$ )

# MOS Capacitor - Depletion approximation

$t_{ox} =$   nm     $\epsilon_{ox} =$       $N_c(300) =$   1/cm<sup>3</sup>     $T =$   K  
 $E_g =$   eV     $\epsilon_s =$       $N_v(300) =$   1/cm<sup>3</sup>     $N_A =$   1/cm<sup>3</sup>  
 $V_g =$   V               $V_{fb} =$   V

Band diagram



$$E_g = 1.12 \text{ eV}$$

$$x_p = 0.0644 \mu\text{m}$$

$$V_{ox} = V_g - \phi(x=0) = 0.0874 \text{ V}$$

$$n_i = 6.41 \times 10^9 \text{ 1/cm}^3$$

$$V_T = 0.601 \text{ V}$$

At the oxide/semiconductor interface

$$n(x=0) = 7.33 \times 10^7 \text{ 1/cm}^3$$

$$\phi(x=0) = 0.313 \text{ V}$$

$$E(0-) = 2.91 \times 10^7 \text{ V/m}$$

$$E(0+) = 9.71 \times 10^6 \text{ V/m}$$

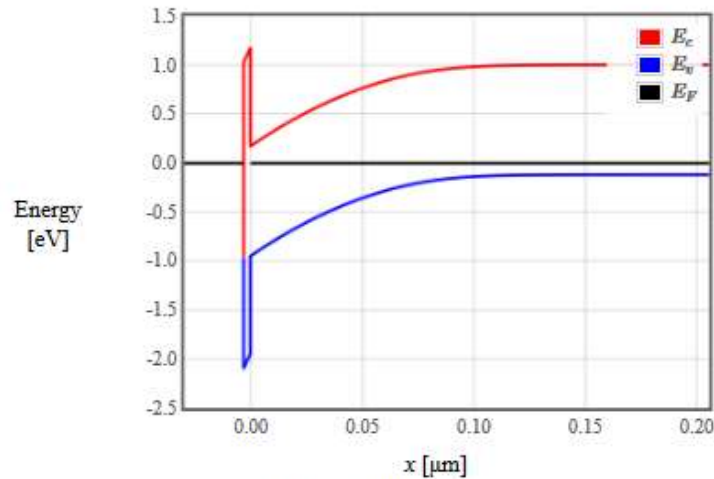
$$n_{2d} = 19.5 \text{ 1/cm}^2$$

# MOS Capacitor - Solving the Poisson Equation

The app below solves the Poisson equation to determine the band bending, the charge distribution, and the electric field in a MOS capacitor with a p-type substrate.

$\phi_m =$ <input type="text" value="4.08"/> eV	$\chi_s =$ <input type="text" value="4.05"/> eV	$N_c(300) =$ <input type="text" value="2.78E19"/> 1/cm <sup>3</sup>	$T =$ <input type="text" value="300"/> K
$t_{ox} =$ <input type="text" value="3"/> nm	$\epsilon_{ox} =$ <input type="text" value="4"/>	$N_v(300) =$ <input type="text" value="9.84E18"/> 1/cm <sup>3</sup>	$N_A =$ <input type="text" value="1E17"/> 1/cm <sup>3</sup>
$E_g =$ <input type="text" value="1.166-4.73E-4*T*(T+636)"/> eV	$\epsilon_{semi} =$ <input type="text" value="12"/>		
$V =$ <input type="text" value="0"/> V			
- +		Submit	
		Si Ge GaAs	

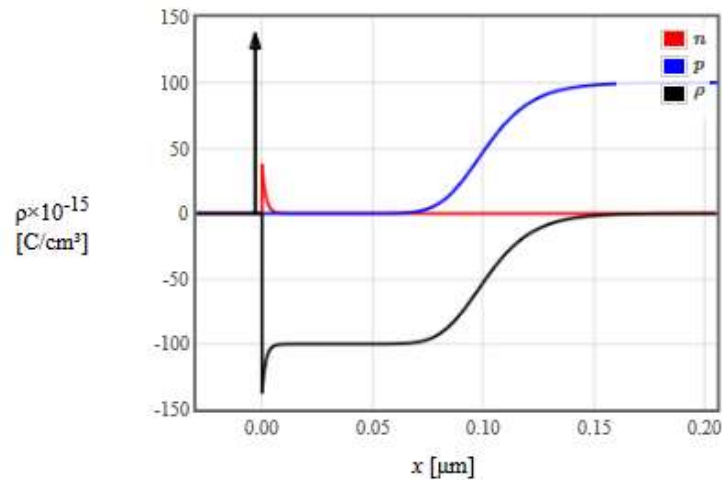
Band diagram



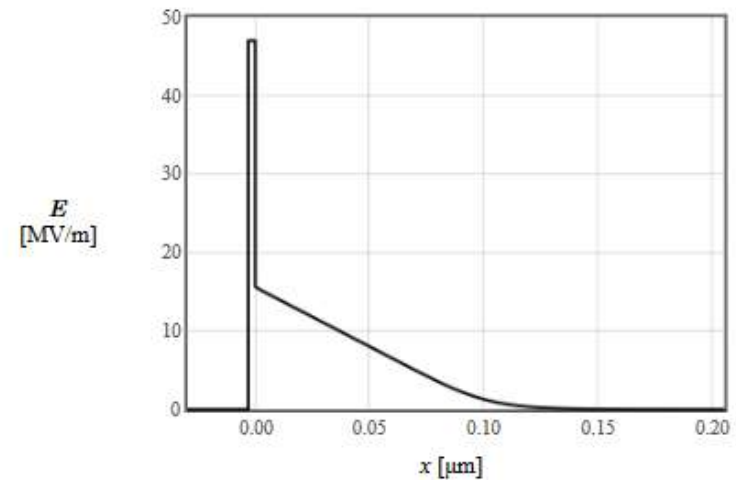
$E_g = 1.12$  eV  
 $E_s = 1.57e+7$  V/m  
 $Q = -0.00167$  C/m<sup>2</sup>  
 $E_{ox} = 4.70e+7$  V/m  
 $\phi_s = 5.05$  eV  
 $n_i = 6.40e+9$  1/cm<sup>3</sup>  
 $V_s = 0.831$  V  
 $V_{shoot} = 0.0000221$  V  
 $V_{fb} = \phi_m - \phi_s = -0.972$  V

From the depletion approximation:  
 $\max(x_p) 0.107$   $\mu\text{m}$        $V_T = 0.0292$  V

Charge density



Electric field



# Band bending at inversion

$$n = N_A \text{ at threshold}$$

Far on the p side

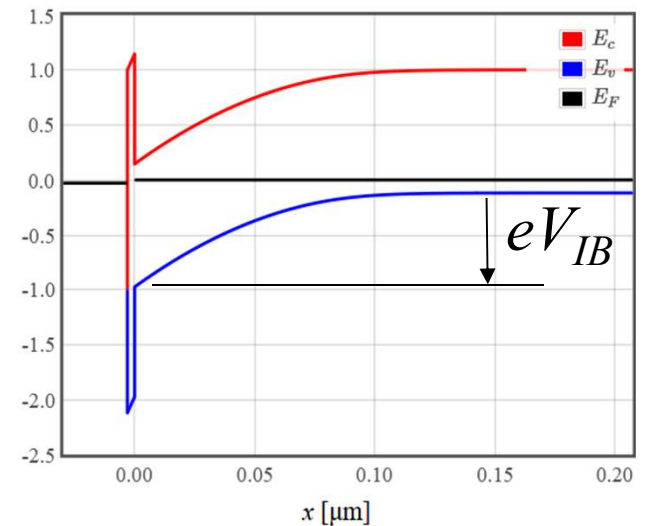
$$n = \frac{n_i^2}{N_A} = N_c \exp\left(\frac{E_F - E_c}{k_B T}\right) \quad E_F - E_c = k_B T \ln\left(\frac{n_i^2}{N_A N_c}\right)$$

At the interface,  $n = N_A$

$$N_A = N_c \exp\left(\frac{E_F - E_c}{k_B T}\right) \quad E_F - E_c = k_B T \ln\left(\frac{N_A}{N_c}\right)$$

The voltage between the semiconductor-oxide interface and the body

$$eV_{IB} = k_B T \ln\left(\frac{N_A}{N_c}\right) - k_B T \ln\left(\frac{n_i^2}{N_A N_c}\right)$$



$V_{IB}$  is the voltage between the interface and the body

# Strong inversion

$n_s = N_A$  at the semiconductor-oxide interface

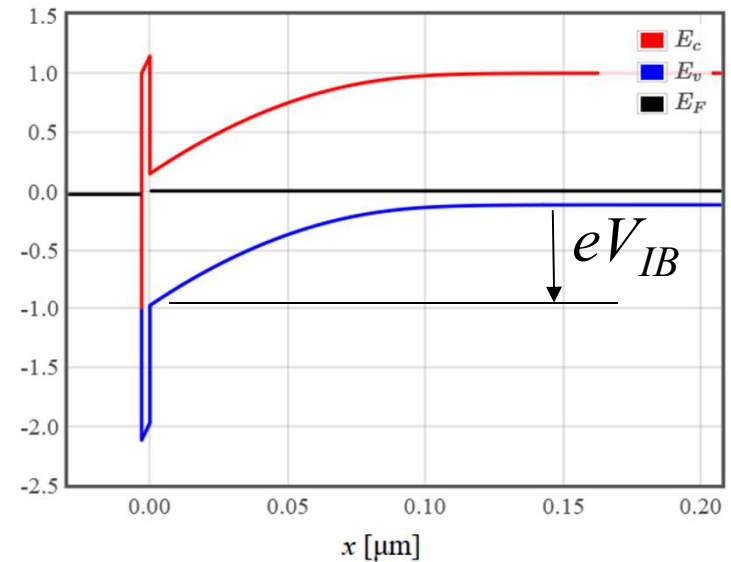
$$eV_{IB} = k_B T \ln\left(\frac{N_A}{N_c}\right) - k_B T \ln\left(\frac{n_i^2}{N_A N_c}\right)$$

$$\ln(a) - \ln(b) = \ln\left(\frac{a}{b}\right)$$

$$eV_{IB} = k_B T \ln\left(\frac{N_A^2}{n_i^2}\right)$$

$$\ln(a^2) = 2 \ln(a)$$

$$eV_{IB} = 2k_B T \ln\left(\frac{N_A}{n_i}\right)$$



The depletion width remains constant in inversion.



# Depletion width in inversion

---

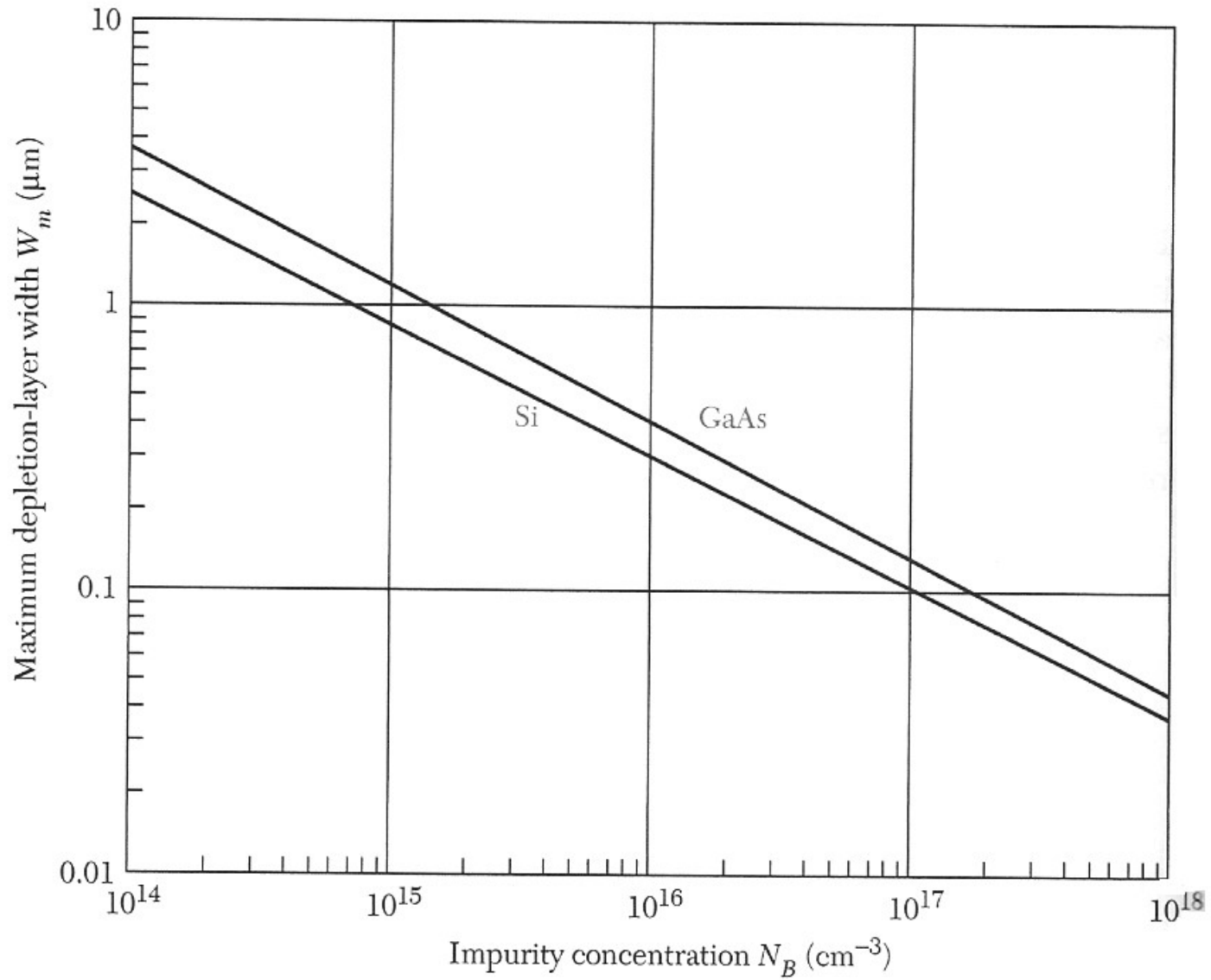
$$V_{IB} = \frac{eN_A x_p^2}{2\varepsilon}$$

$$eV_{IB} = 2k_B T \ln \left( \frac{N_A}{n_i} \right)$$

$$x_{p(\max)} = \sqrt{\frac{2\varepsilon V_{IB}}{eN_A}} = 2 \sqrt{\frac{\varepsilon}{e^2 N_A} k_B T \ln \left( \frac{N_A}{n_i} \right)}$$

The depletion width remains constant in inversion.

# Depletion width



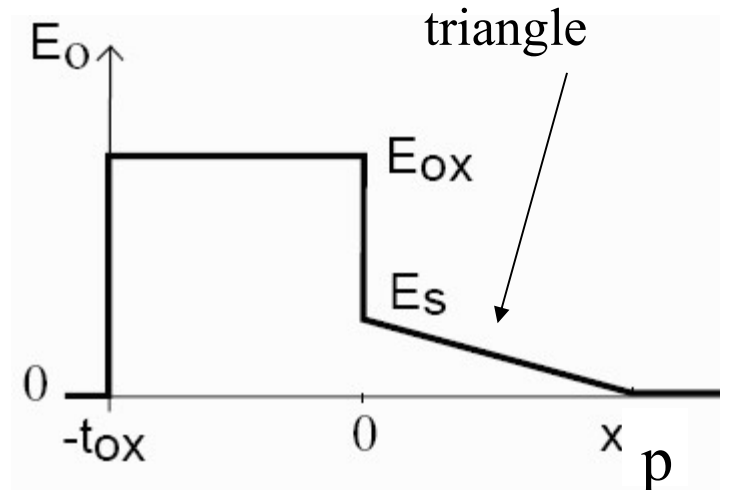
# Electric field at semi-oxide interface at strong inversion

$$eV_{IB}(\text{strong inversion}) = 2k_B T \ln\left(\frac{N_A}{n_i}\right)$$

$$E_s = 2 \frac{V_{IB}}{x_{p(\max)}} = \frac{2V_{IB}}{\sqrt{\frac{2\epsilon V_{IB}}{eN_A}}} = 2 \sqrt{\frac{N_A}{\epsilon} k_B T \ln\left(\frac{N_A}{n_i}\right)}$$

$$E_{ox} = \frac{\epsilon}{\epsilon_{ox}} E_s = \frac{2\epsilon}{\epsilon_{ox}} \sqrt{\frac{N_A}{\epsilon} k_B T \ln\left(\frac{N_A}{n_i}\right)}$$

$V_{IB} = E_s x_p / 2 =$   
area of the

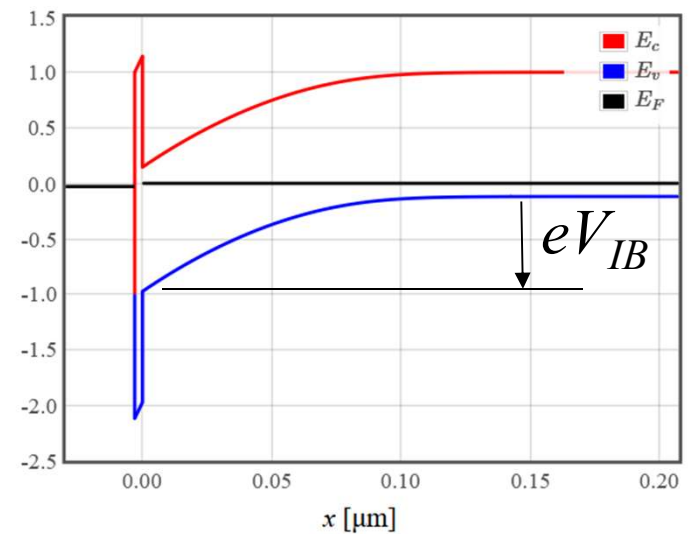


# Threshold voltage

$$V_T = E_{ox}(\text{strong inversion})t_{ox} + V_{IB}(\text{strong inversion}) + V_{FB}$$

$$V_T = \frac{2\epsilon t_{ox}}{\epsilon_{ox}} \sqrt{\frac{N_A k_B T \ln\left(\frac{N_A}{n_i}\right)}{\epsilon}} + 2 \frac{k_B T}{e} \ln\left(\frac{N_A}{n_i}\right) + V_{FB}$$

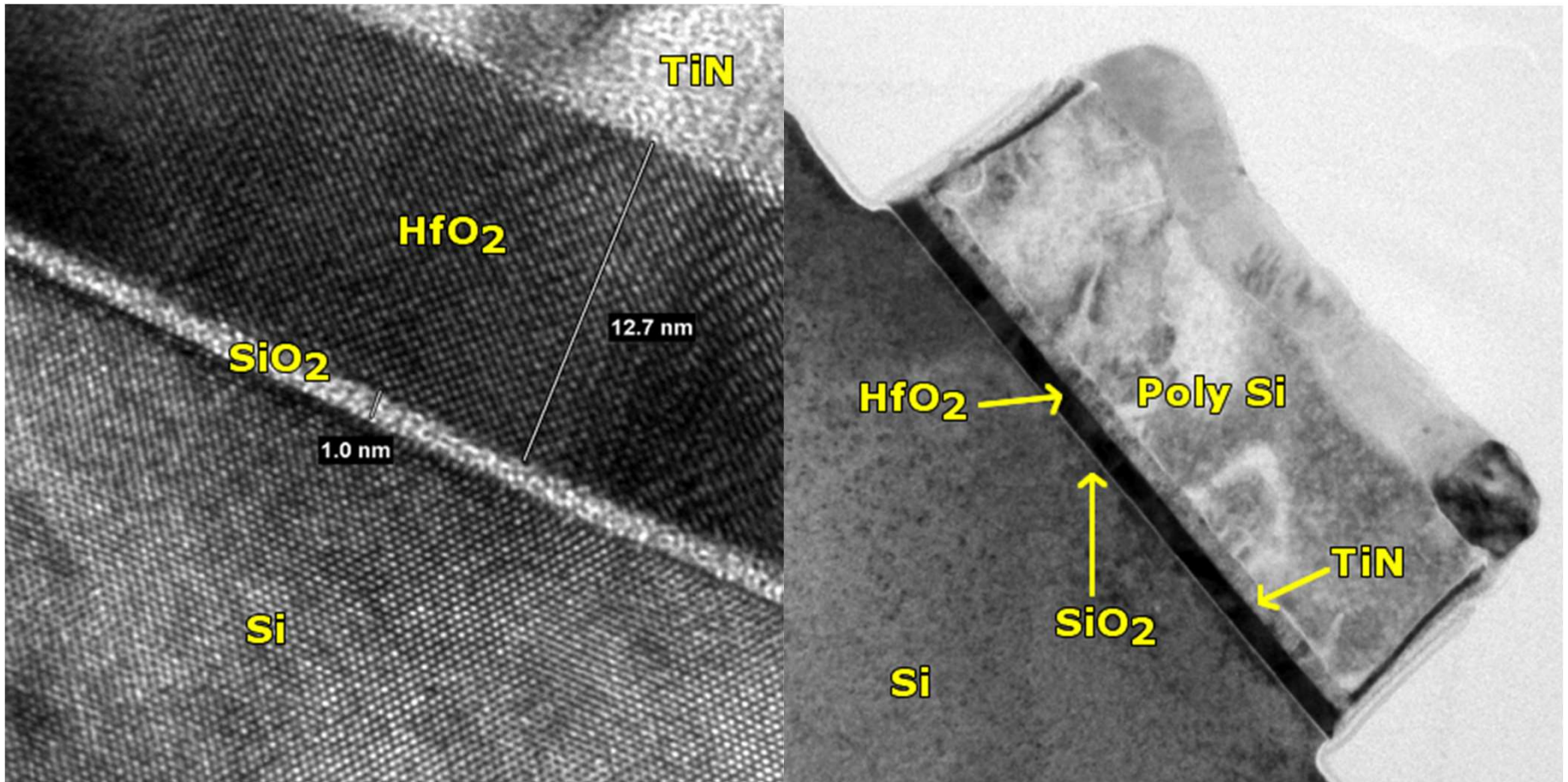
$\frac{\epsilon t_{ox}}{\epsilon_{ox}} E_{inversion}$                        $V_{IB}$



Small  $V_T$  requires a small  $t_{ox}$  and a large  $\epsilon_{ox}$ .

# High-k dielectrics

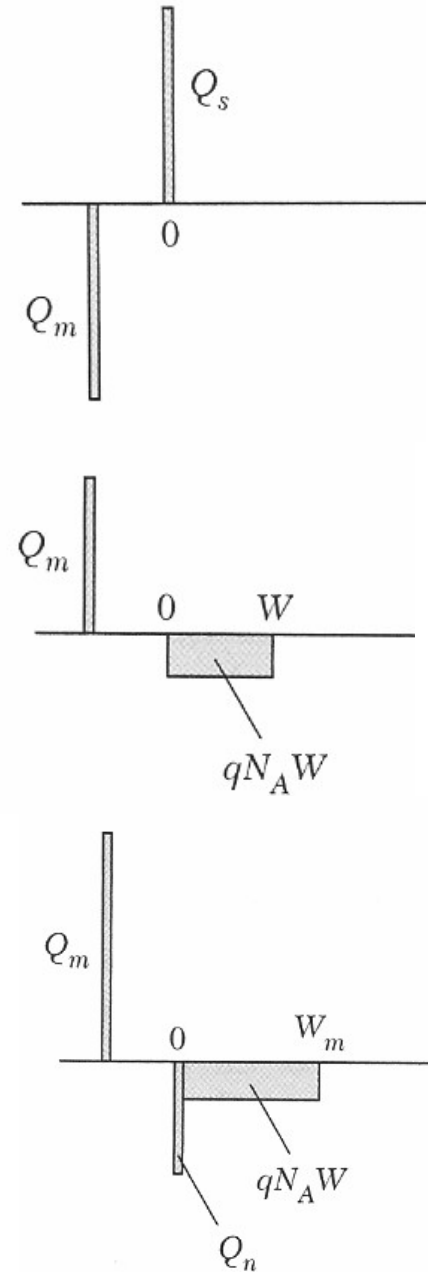
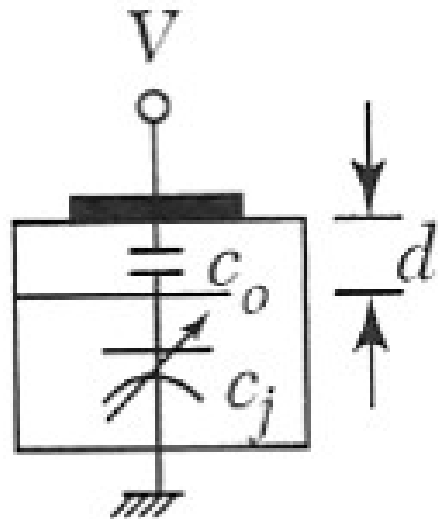
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# MOS capacitance

$$C_{ox} = \frac{\epsilon_{ox}}{t_{ox}} \quad C_j = \frac{\epsilon}{x_p}$$

$$C = \left( \frac{1}{C_{ox}} + \frac{1}{C_j} \right)^{-1}$$

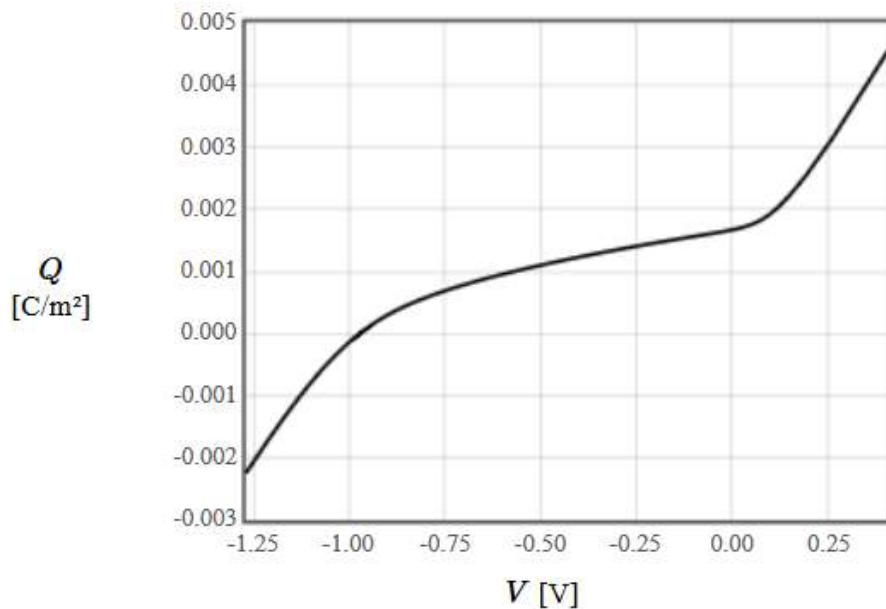


## MOS Capacitor - Capacitance voltage

In capacitance-voltage profiling, the capacitance of a MOS capacitor is measured as a function of the bias voltage. The app below solves the Poisson equation to determine the charge-voltage and capacitance voltage characteristics of a MOS capacitor with a p-type substrate. This is the low-frequency result. At high frequencies, the charge at the oxide interface does not change fast enough and the characteristics take on another form.

$\phi_m =$ <input type="text" value="4.08"/> eV	$\chi_s =$ <input type="text" value="4.05"/> eV		
$t_{ox} =$ <input type="text" value="3"/> nm	$\epsilon_{ox} =$ <input type="text" value="4"/>	$N_c(300) =$ <input type="text" value="2.78E19"/> 1/cm <sup>3</sup>	$T =$ <input type="text" value="300"/> K
$E_g =$ <input type="text" value="1.166-4.73E-4*T*T/(T+636)"/> eV	$\epsilon_{semi} =$ <input type="text" value="12"/>	$N_v(300) =$ <input type="text" value="9.84E18"/> 1/cm <sup>3</sup>	$N_A =$ <input type="text" value="1E17"/> 1/cm <sup>3</sup>
<input type="button" value="Submit"/>	<input type="button" value="Si"/>	<input type="button" value="Ge"/>	<input type="button" value="GaAs"/>

Q - V



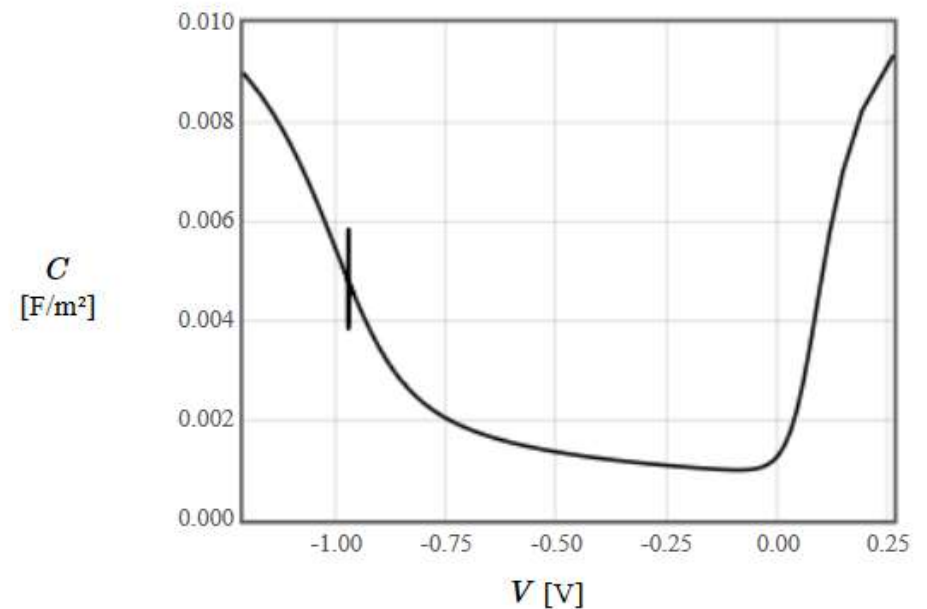
$$E_g = 1.12 \text{ eV}$$

$$C_{ox} = \frac{\epsilon_{ox}}{t_{ox}} = 0.0118 \text{ F/m}^2$$

$$n_i = 6.40e9 \text{ 1/cm}^3$$

$$V_T = 0.0292 \text{ V}$$

C - V

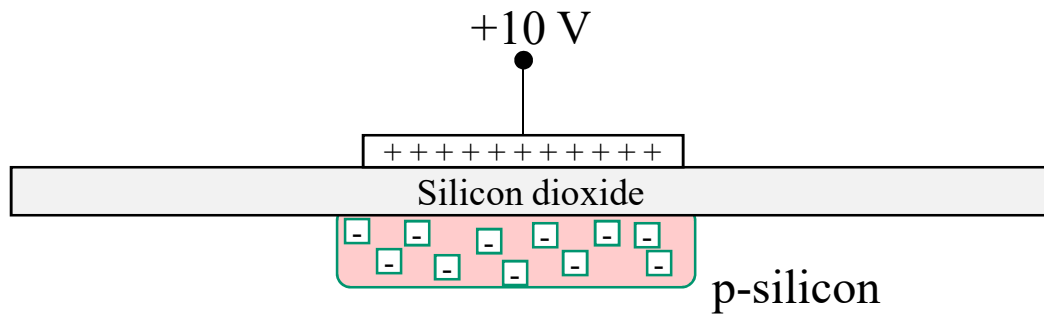


$$\phi_s = 5.05 \text{ eV}$$

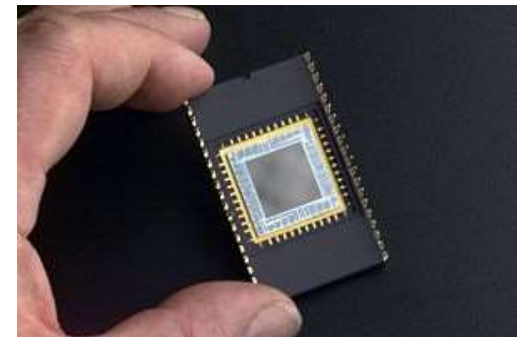
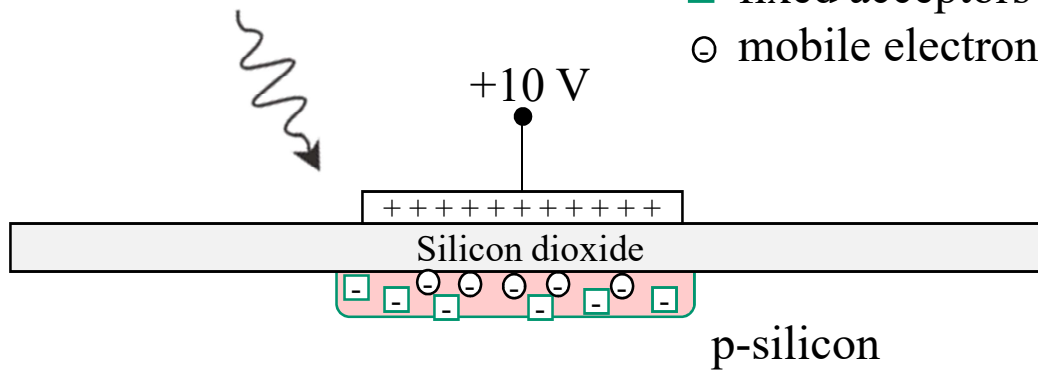
$$V_{fb} = \phi_m - \phi_s = -0.972 \text{ V}$$

# CCD devices

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- fixed acceptors
- ⊖ mobile electrons





# CCD devices

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