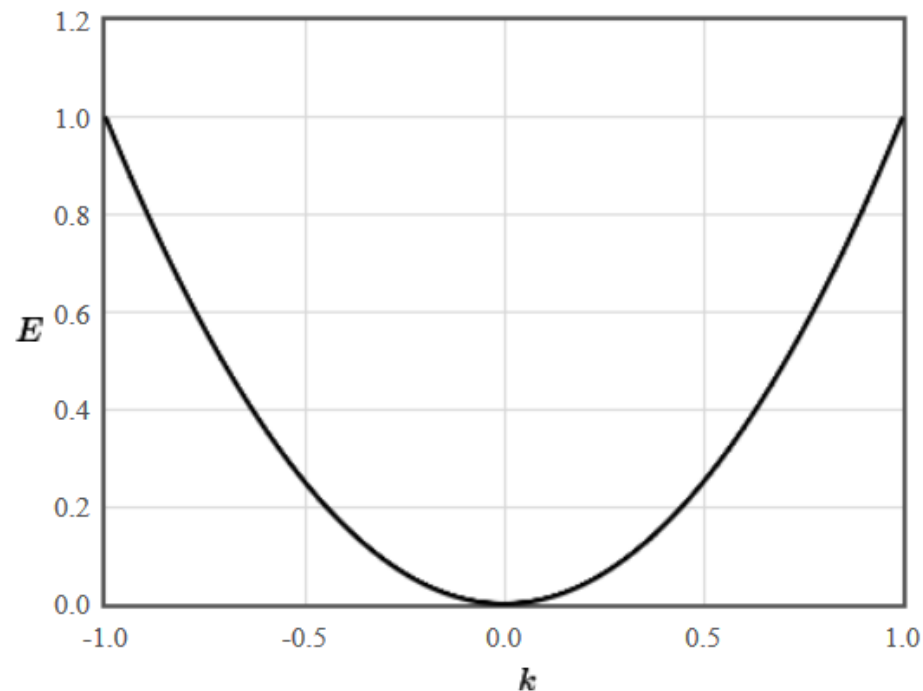


Empty lattice approximation

Empty lattice approximation

Free electrons cannot absorb photons



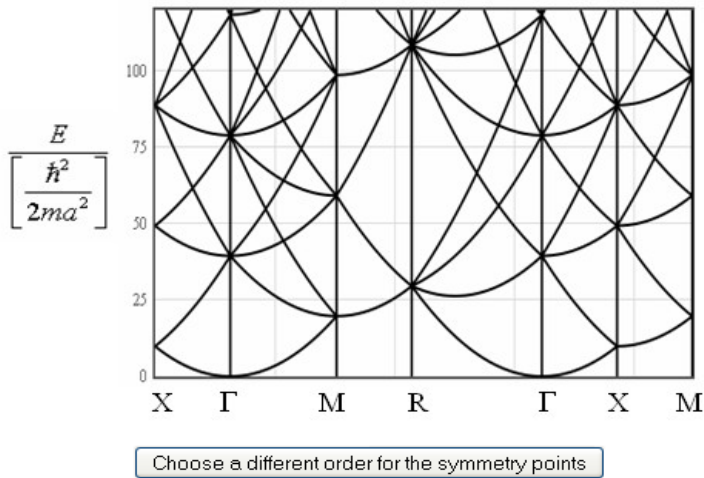
$$\hbar\vec{k}_f = \hbar\vec{k}_i + \hbar\vec{G}$$

$$\vec{k}_f - \vec{k}_i = \vec{G}$$

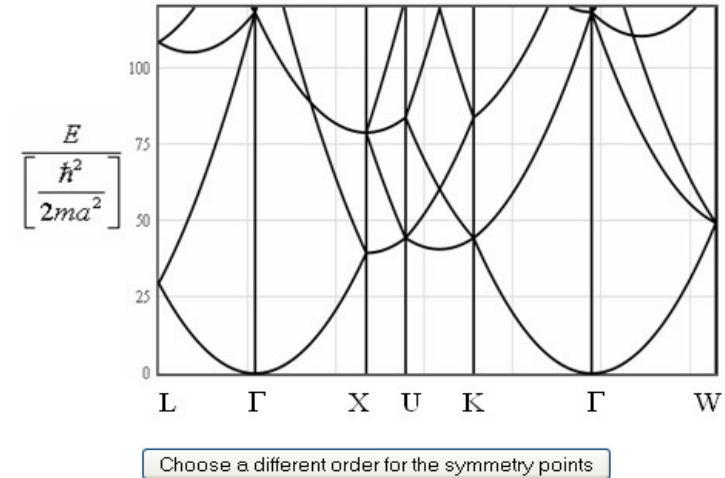
Laue condition

Empty lattice approximation

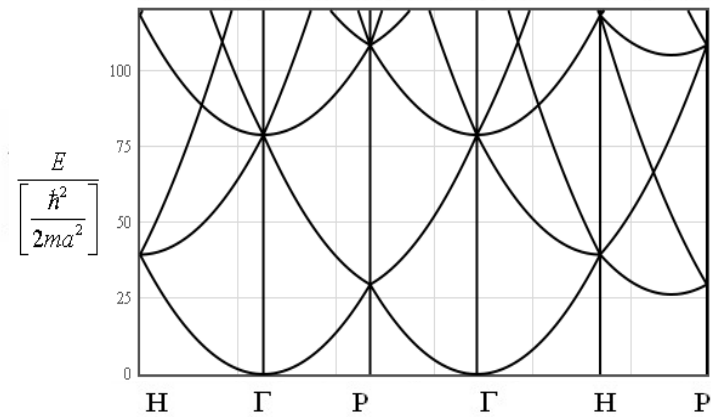
Simple cubic



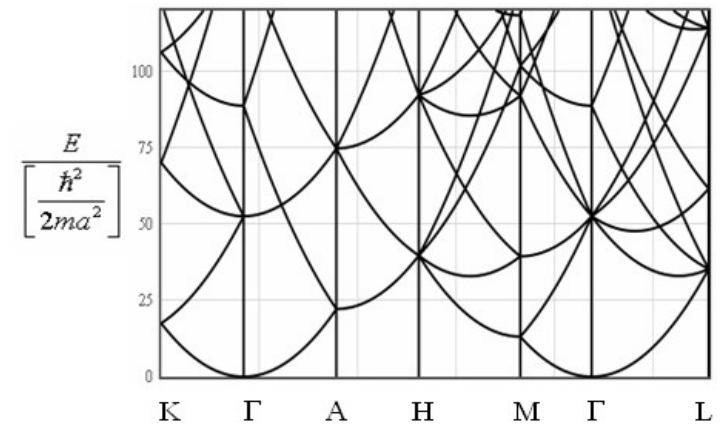
Face centered cubic



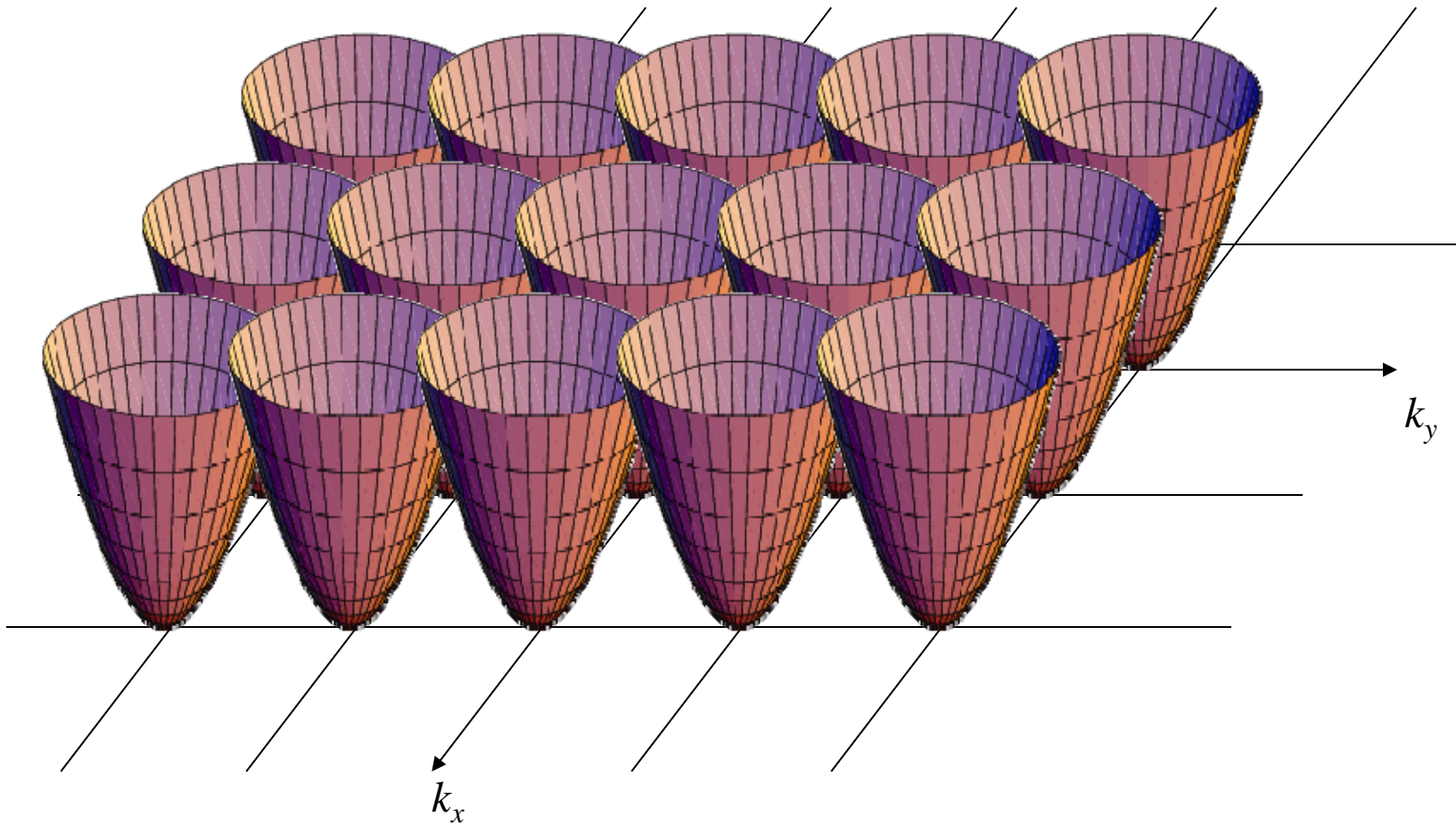
Body centered cubic



Hexagonal

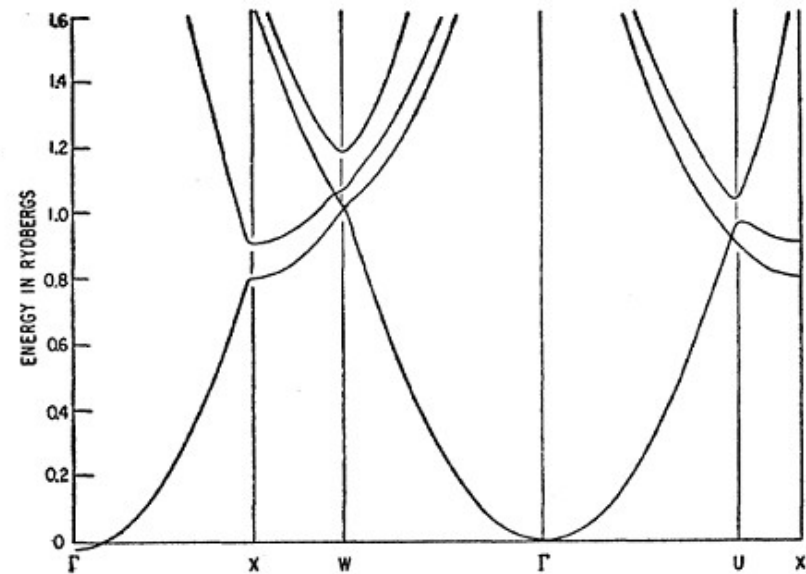
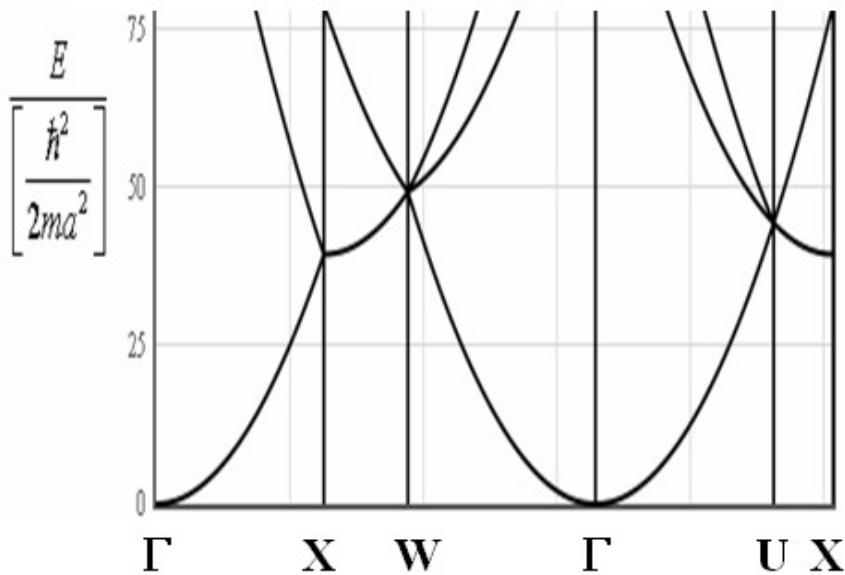


Empty lattice approximation



$$e^{i\vec{k}\cdot\vec{r}} = e^{i\vec{k}'\cdot\vec{r}} e^{i\vec{G}\cdot\vec{r}}$$

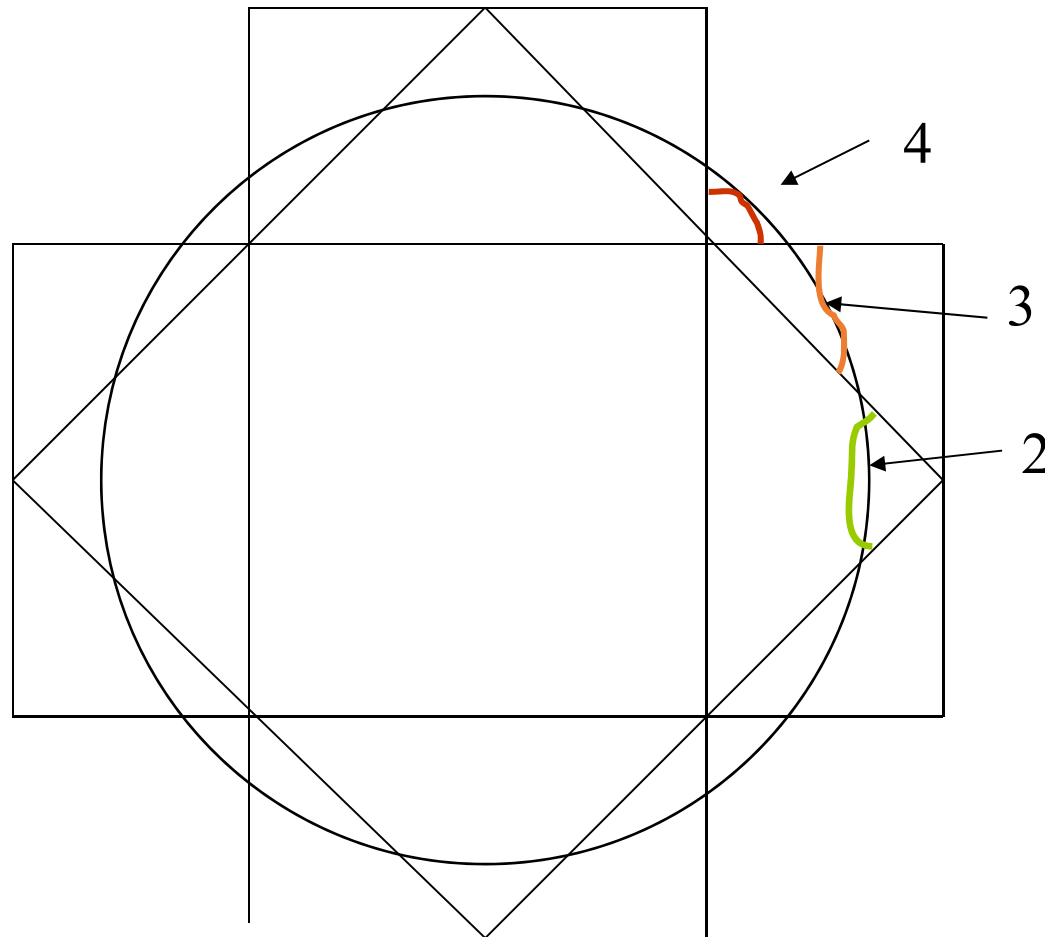
Empty lattice approximation



W. Harrison, Phys. Rev. 118 p. 1182 (1960)

aluminum

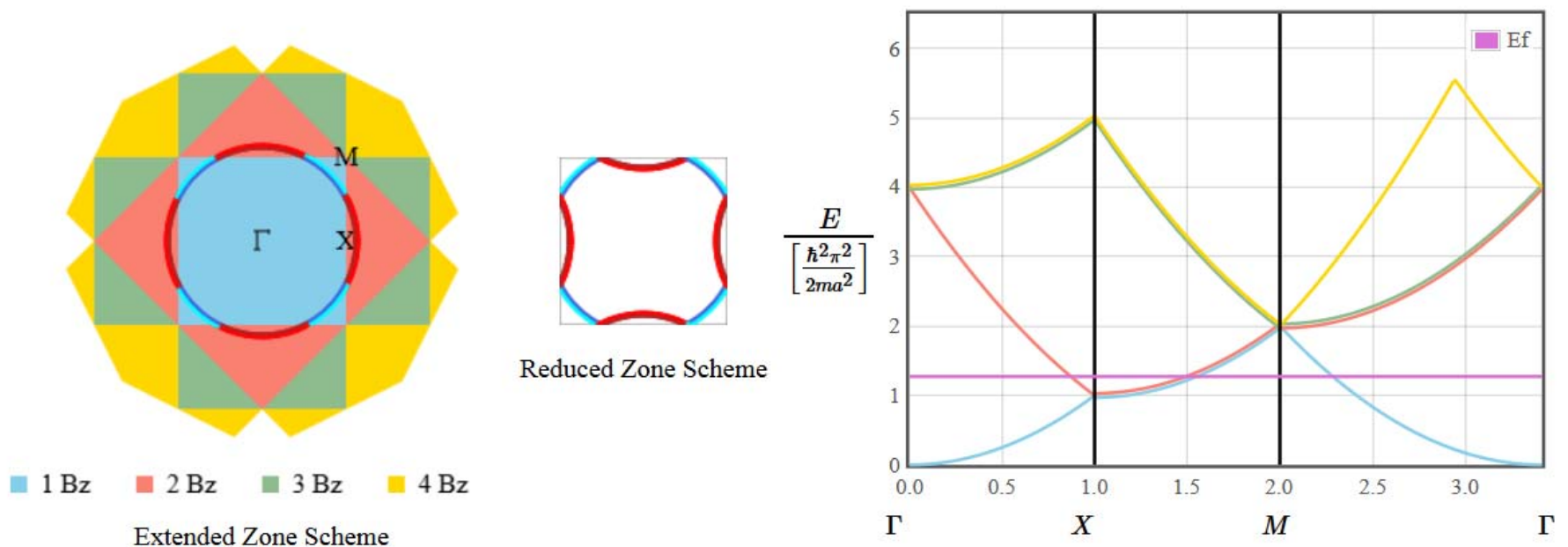
Constructing Fermi surface



No Fermi surface in the 1st Brillouin zone

2d square lattice

$2N$ electron states in a Brillouin zone



The Fermi surface strikes the Brillouin zone boundary at 90° .

http://lampx.tugraz.at/~hadley/ss2/fermisurface/2d_fermisurface/2dsquare.php

Brillouin zones of two-dimensional Bravais lattices

$$\vec{a}_1 = a \hat{x}, \quad \vec{a}_2 = b \cos \gamma \hat{x} + b \sin \gamma \hat{y}.$$

$$\vec{a}_i \cdot \vec{b}_j = 2\pi \delta_{ij}.$$

$$\vec{b}_1 = \frac{2\pi}{a} \hat{k}_x - \frac{2\pi \cos \gamma}{a \sin \gamma} \hat{k}_y, \quad \vec{b}_2 = \frac{2\pi}{b \sin \gamma} \hat{k}_y.$$

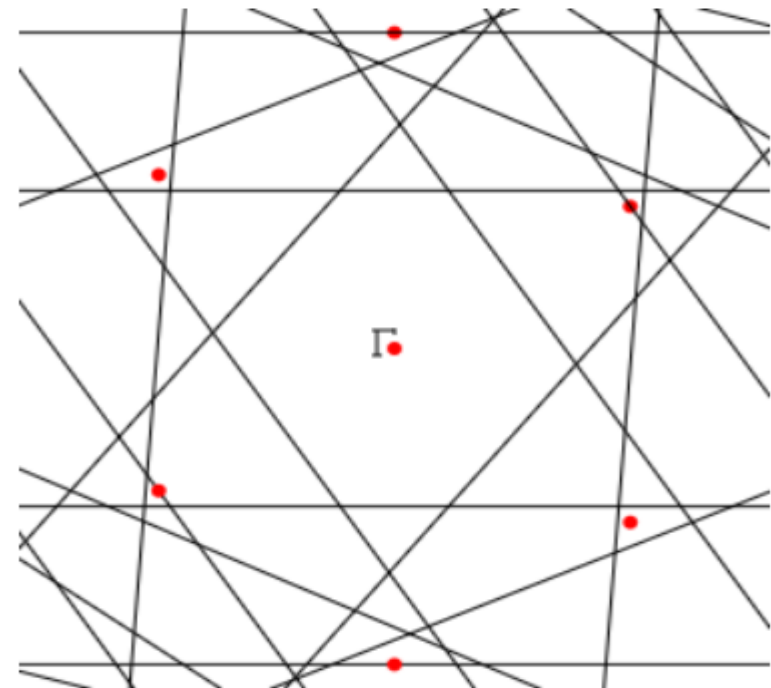
$$G_{hk,x} = hb_{1,x} + kb_{2,x} \text{ and } G_{hk,y} = hb_{1,y} + kb_{2,y}.$$

$$G_{hk,x}k_x + G_{hk,y}k_y = \frac{G_{hk,x}^2}{2} + \frac{G_{hk,y}^2}{2},$$

$b/a = 1.6$ - +
 $\gamma = 155$ - +

$$\vec{a}_1 = 1 \hat{x} \quad \vec{a}_2 = -1.450 \hat{x} + (0.6762) \hat{y}$$

$$\vec{b}_1 = 6.283 \hat{k}_x + (13.47) \hat{k}_y \quad \vec{b}_2 = 9.292 \hat{k}_y$$



C:\Program Files\Cornell\SSS\winbin\ziman.exe

quit

display: large

configure...

presets

help...

time (ps): 48.2

zone scheme: reduced

run

initialize

E_x (10⁶ V/m): 0

E_y (10⁶ V/m): 0

B_z (T): 1.2

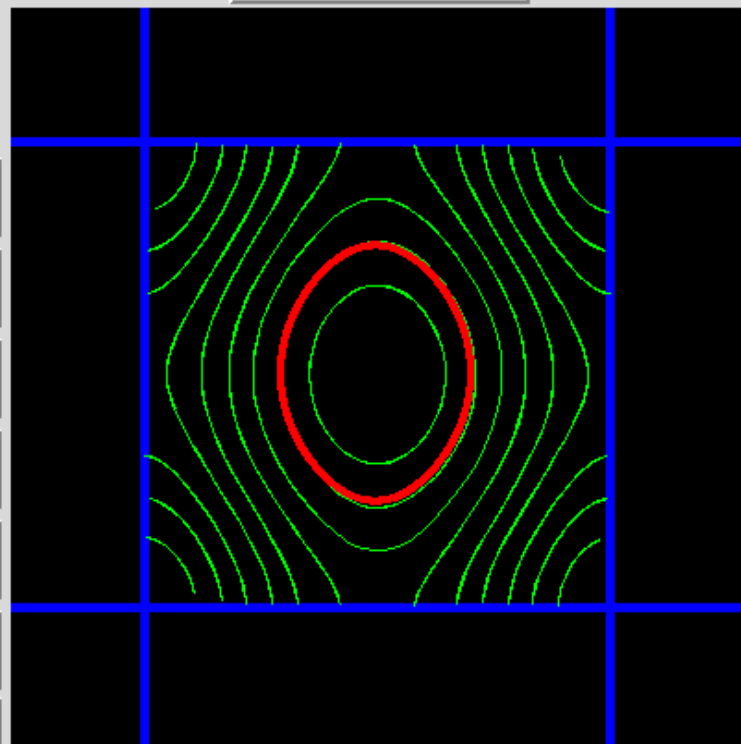
k_x (pi/a): 0

k_y (pi/a): 0.55

anisotropy .6

speed 0.05

position: (0,0) 10⁻⁶ m



wave vector: (-1.57563, 1.16979) pi/a

Fermi surface for fcc in the empty lattice approximation

